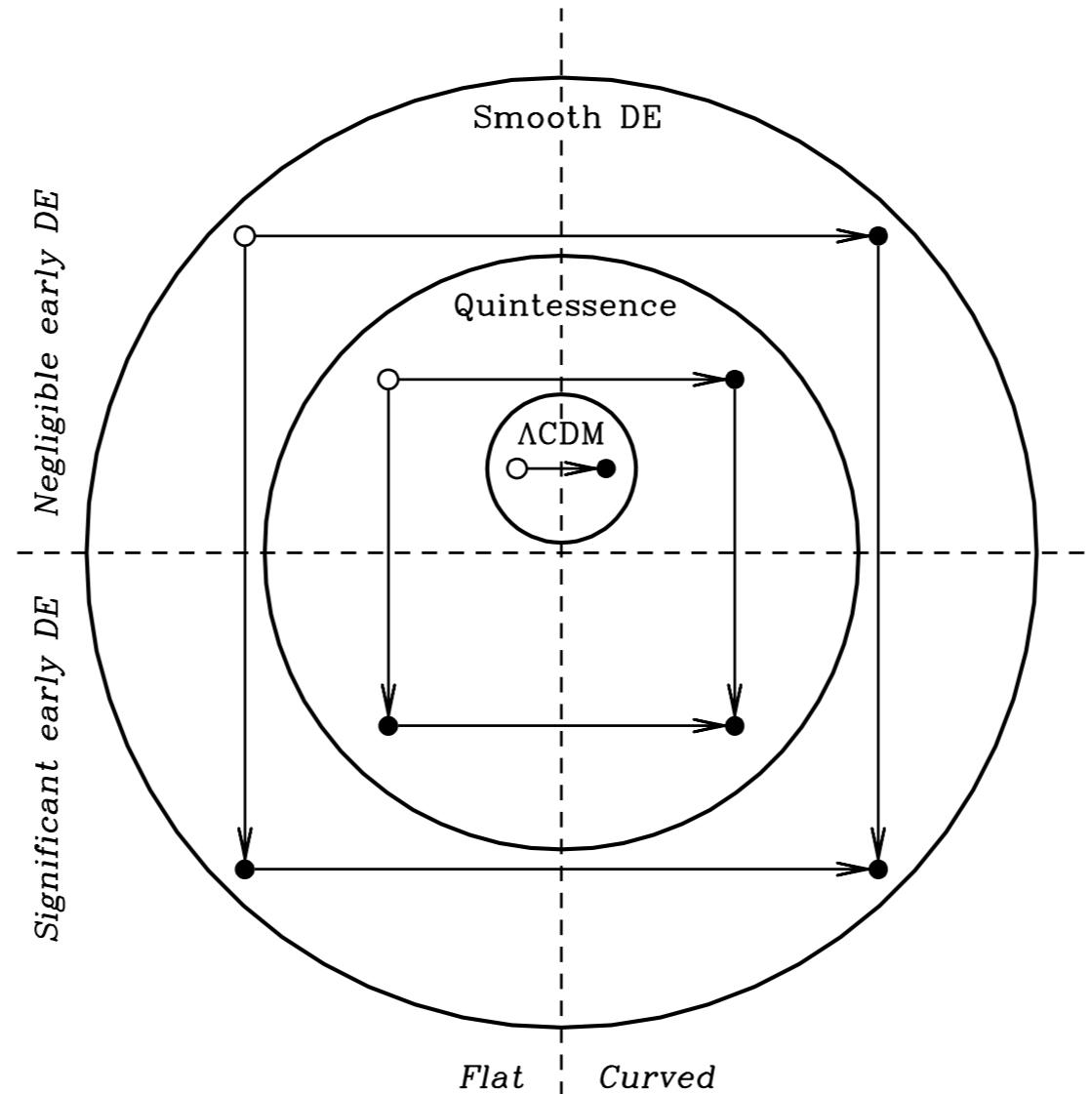


Falsifying Paradigms for Cosmic Acceleration in the Systematics-Dominated Era



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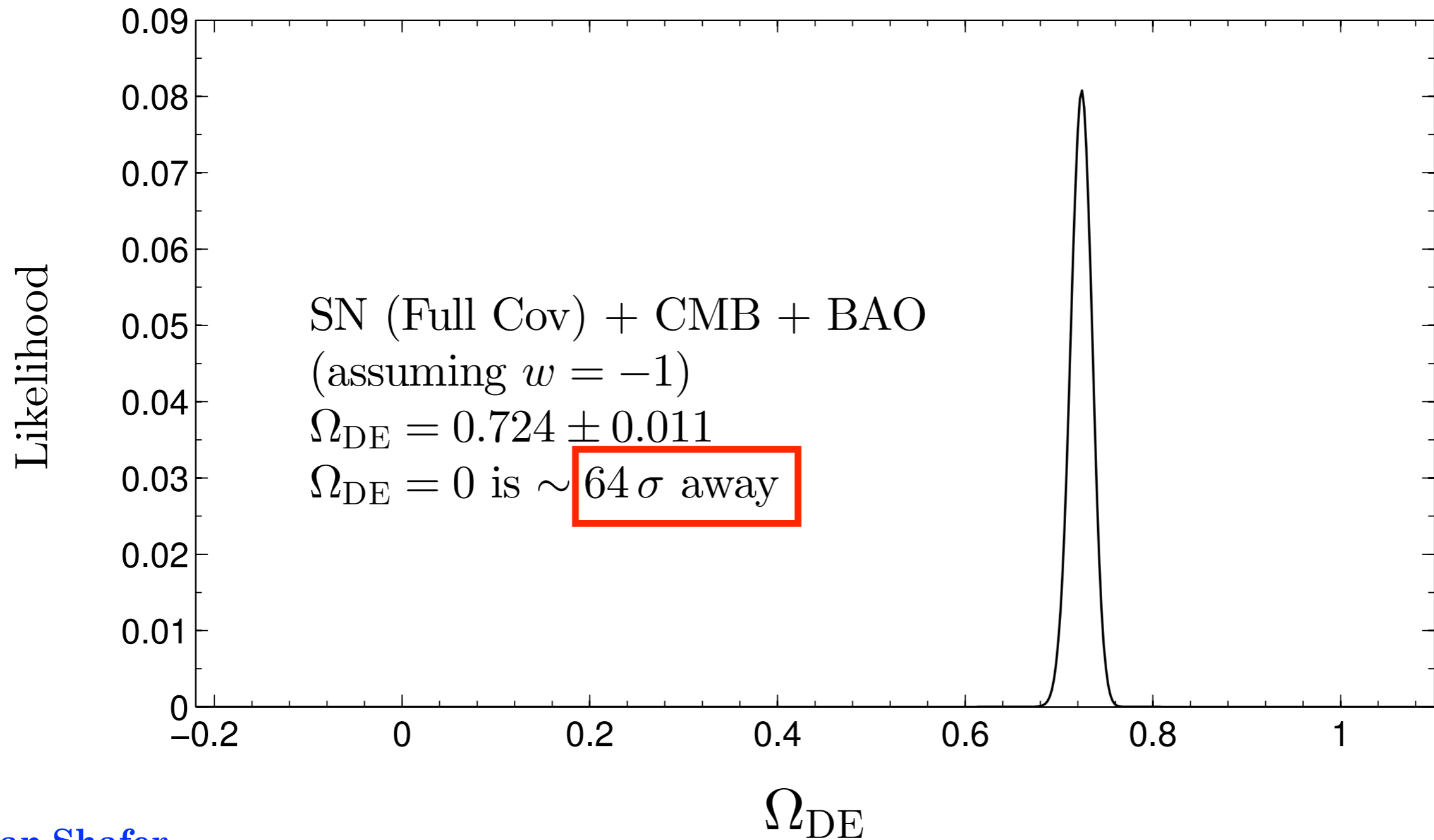
Michael Mortonson (Ohio State), Wayne Hu (Chicago), Carlos Cunha (Stanford)

This talk

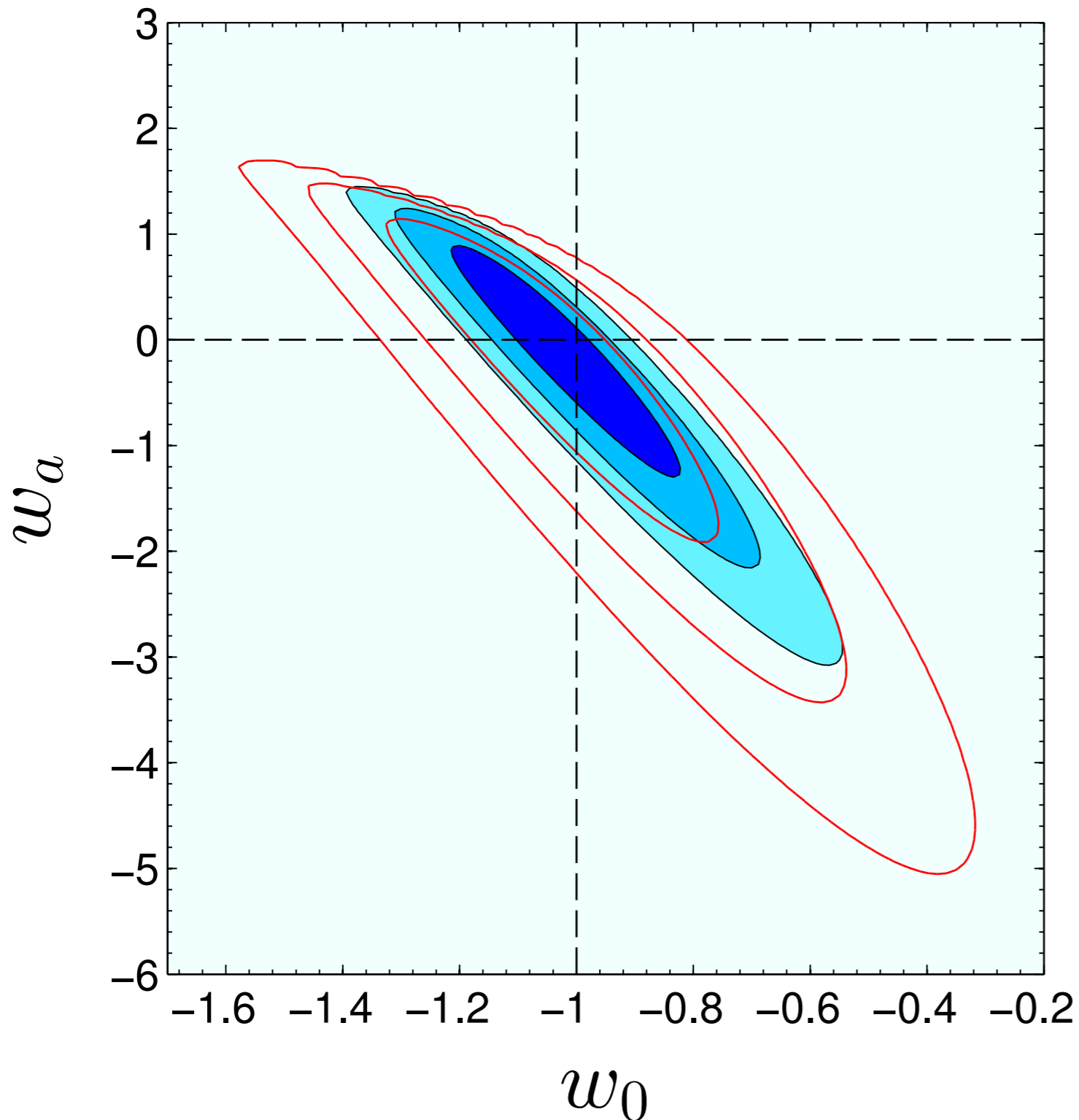
1. Systematic errors in DE probes: a worked example
2. Predictions of classes of DE models for $D(z)/H(z)/G(z)$

Current evidence for dark energy is
impressively strong

Current evidence for dark energy is impressively strong



Since the discovery of acceleration,
constraints have converged to $w \approx -1$



$$w(z) = w_0 + w_a (1-a)$$

Current
SN + BAO + CMB
constraints shown.

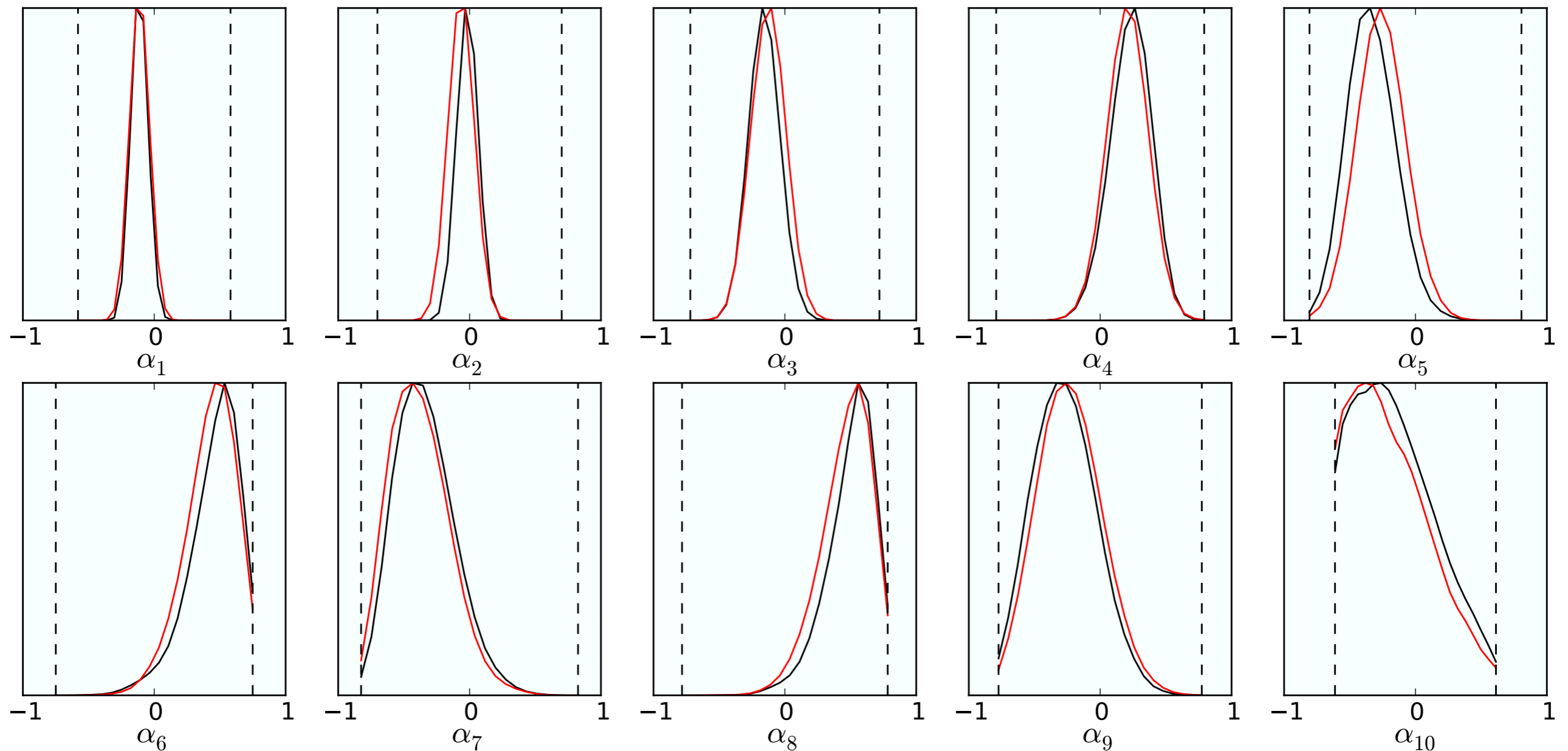
Red contours:
Includes SN
Cov + systematics

In *principal*, constraints are good...

(components)

$$w(z_j) = -1 + \sum_{i=1}^N \alpha_i e_i(z_j)$$

α_i = PC amplitude
 $e_i(z)$ = PC shape



Systematic errors

- ▶ Already limiting factor in measurements
- ▶ Will definitely be limiting factor with future data
- ▶ Quantity of interest: (true sys. – estimated sys.)
difference
- ▶ Self-calibration: measuring systematics internally from
the survey

Specifically for “big 4” probes of DE:

Supernovae: each SN provides info about DE; can choose a “golden subsample” to limit systematics

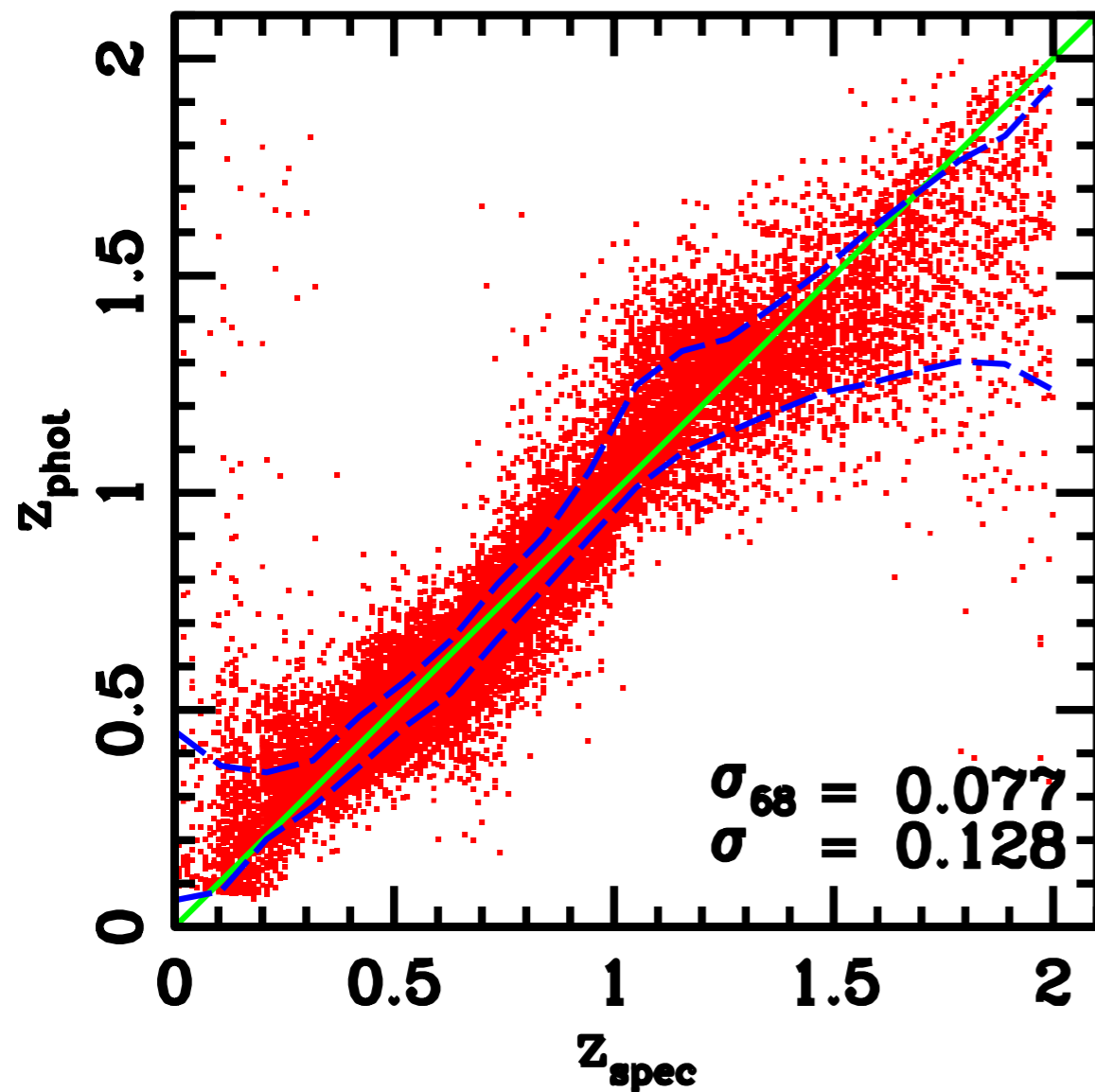
BAO: relatively systematics-free (additional info in **RSD** and **P(k)**, but also additional systematics!)

Weak lensing: control of systematics most challenging, but great potential, esp in providing info on growth

Clusters: understanding mapping between observable luminosity/flux/ N_{gal} and mass is crucial

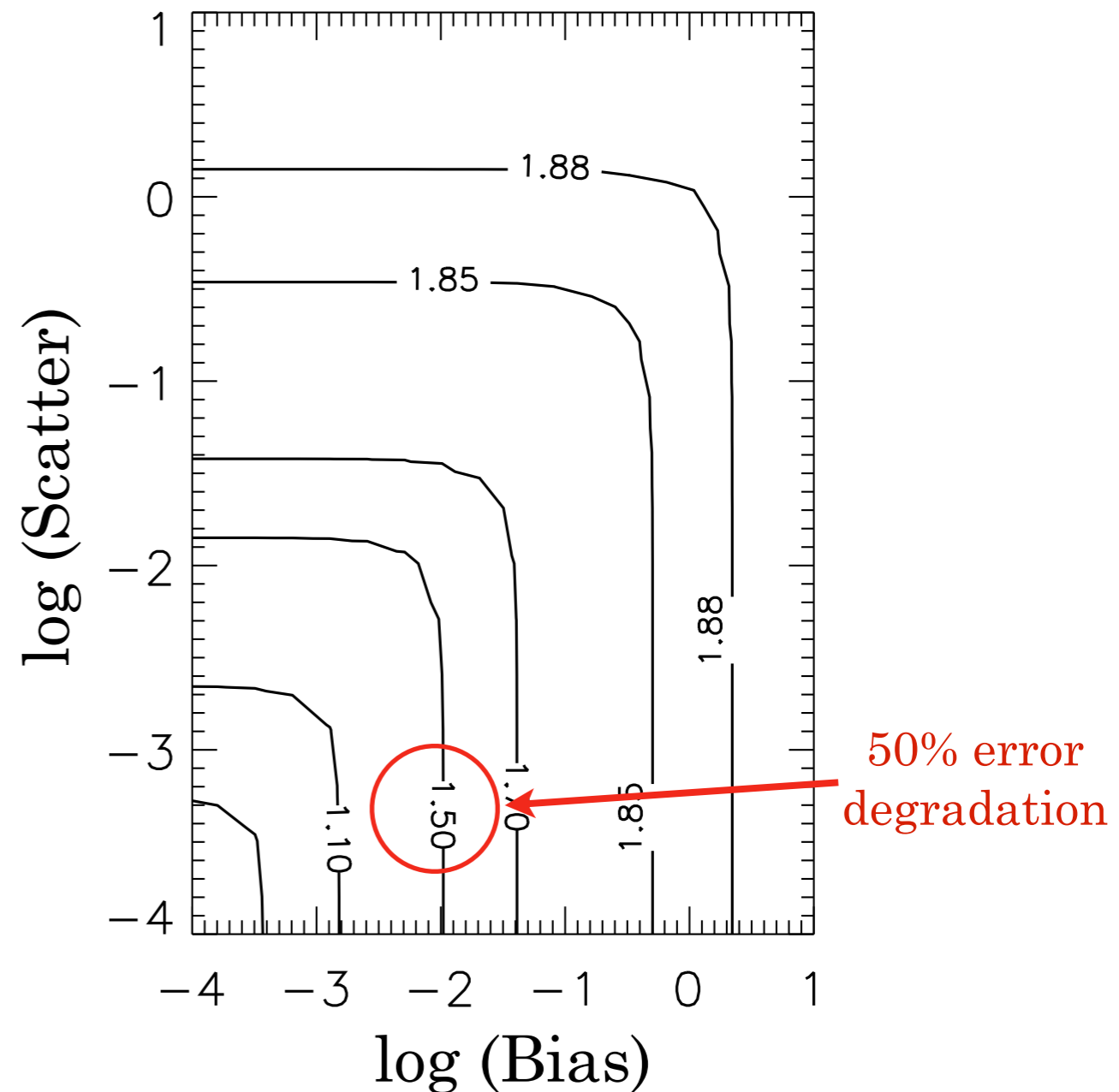
Poster child of systematics: photometric redshift errors

Example



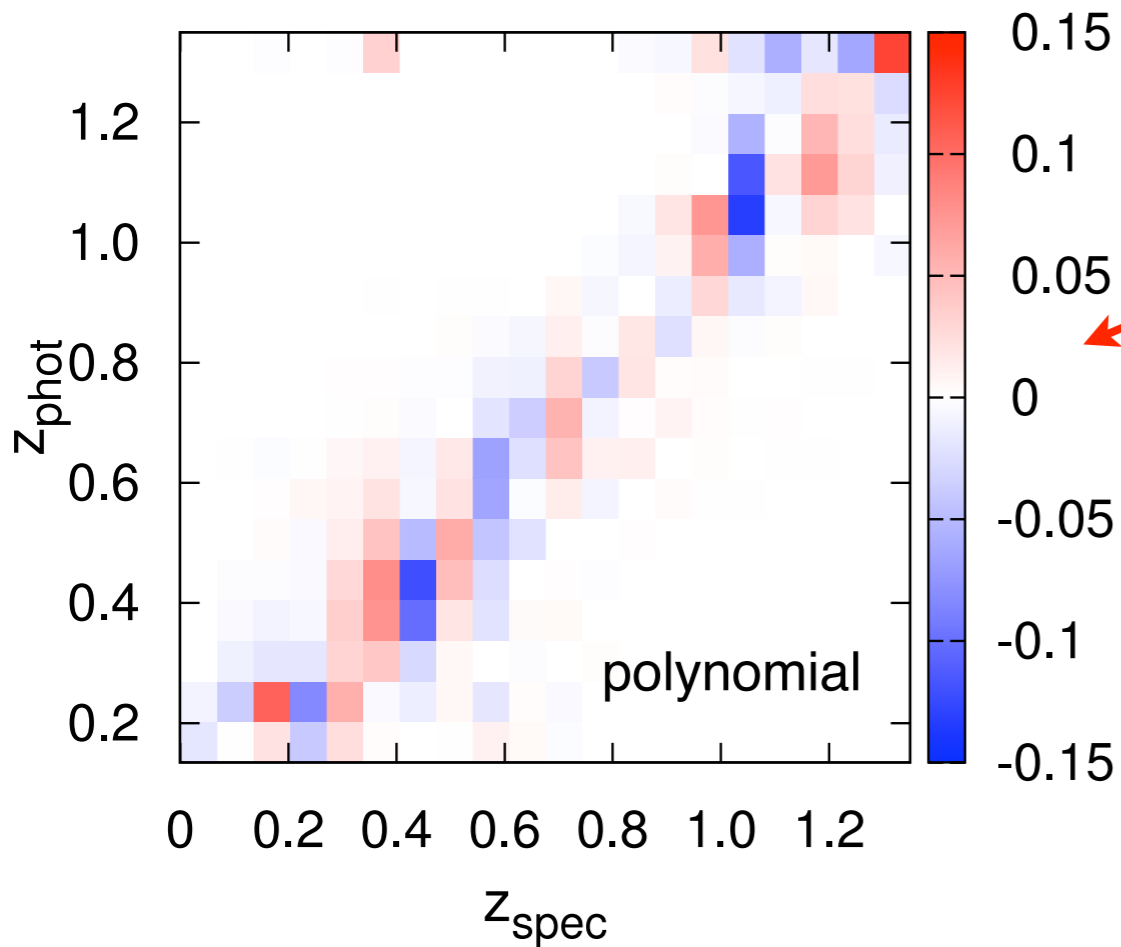
C. Cunha

Requirements



Ma, Hu & Huterer 2006

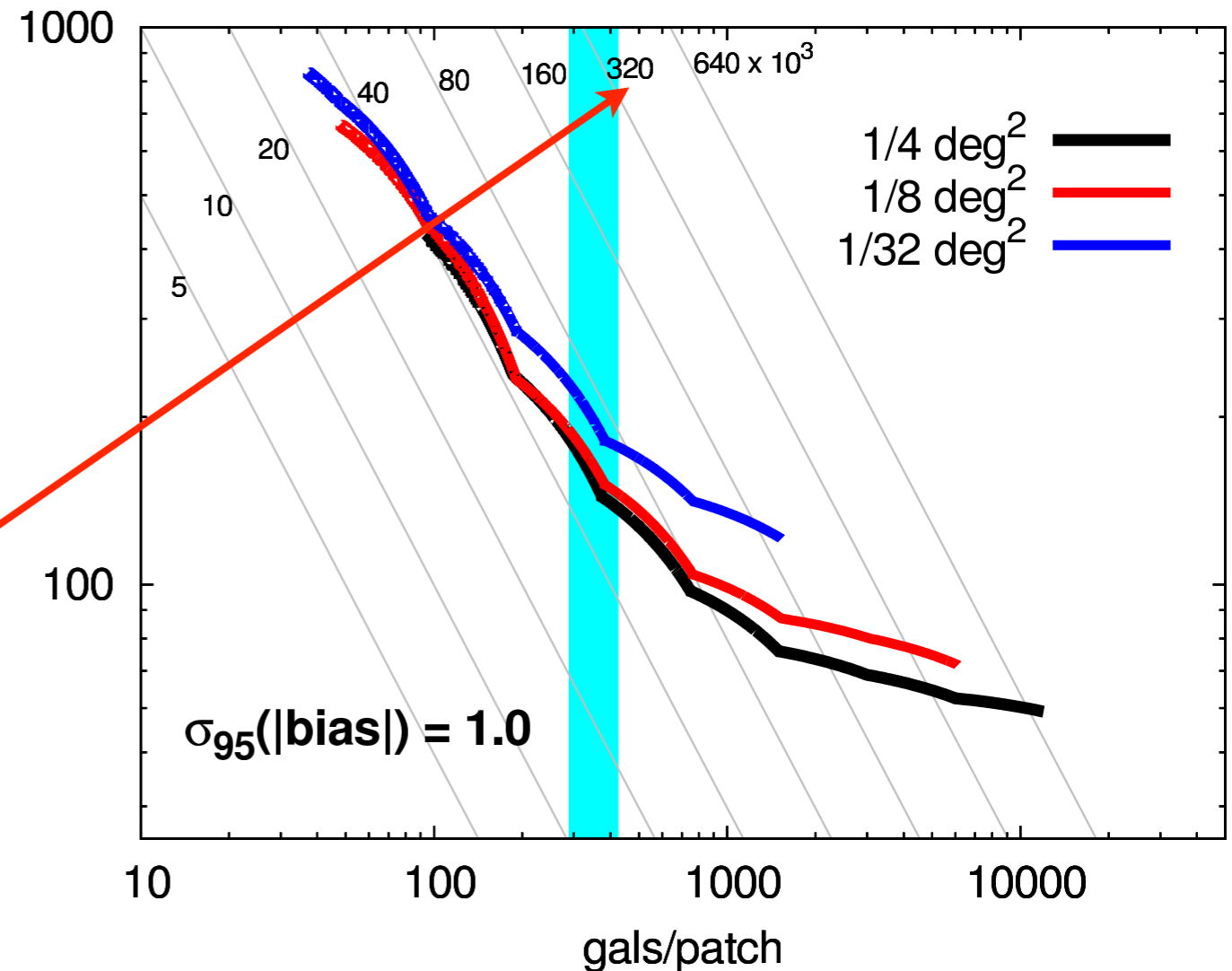
Note: scatter σ , or even $\sigma(z)$ and $\text{bias}(z)$,
are NOT sufficient to describe effects of photo-z errors on DE



Need to consider the full $P(z_s | z_p)$:
difference (true P – estimated P)
generates cosmological biases

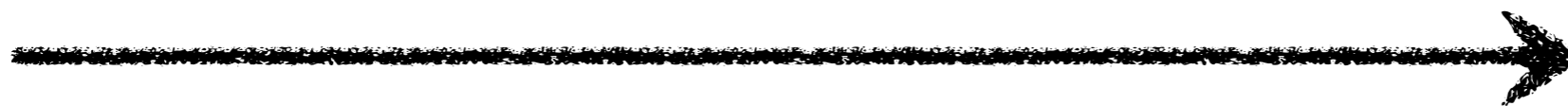
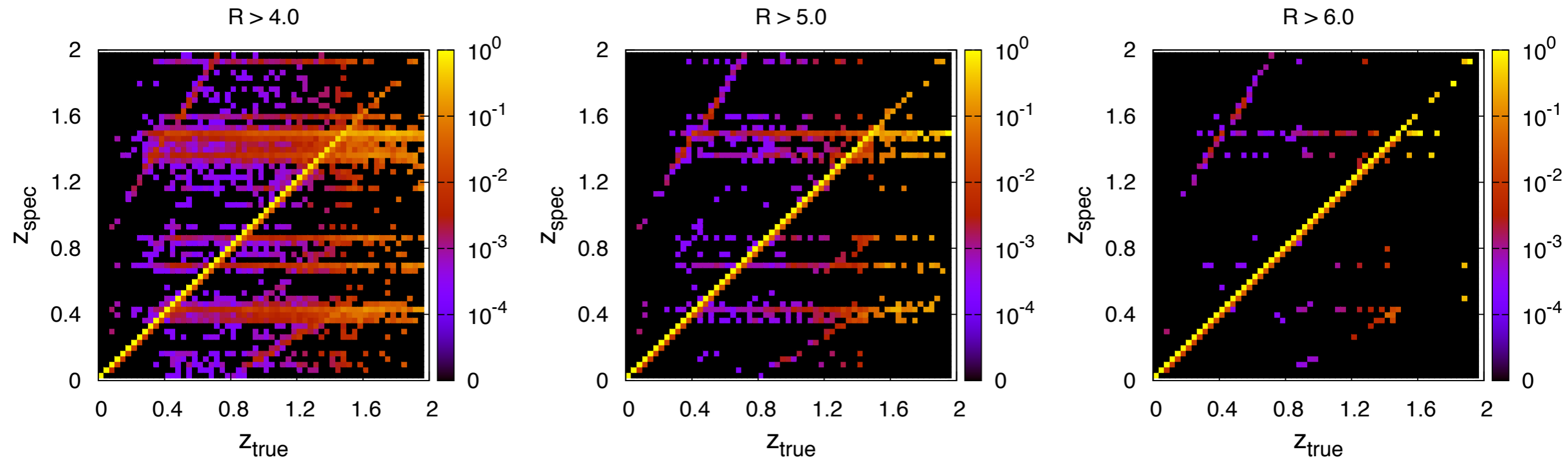
Number of patches

Only then can you derive
survey requirements
(here, size of spectroscopic
follow-up)



Spectroscopic failures (shown below)

lead to increased photo-z errors, and thus DE biases



Increasing quality threshold (R) of spectroscopic zs

Final requirement (based on end-to-end simulation):
must have **<1%** fraction of wrong spectroscopic redshifts

Major photo-z challenge: get spectroscopic followup

- with $O(10^6)$ spectra
- to depth of photometric sample (!)
- with $<1\%$ wrong redshifts

Major unsolved problem:

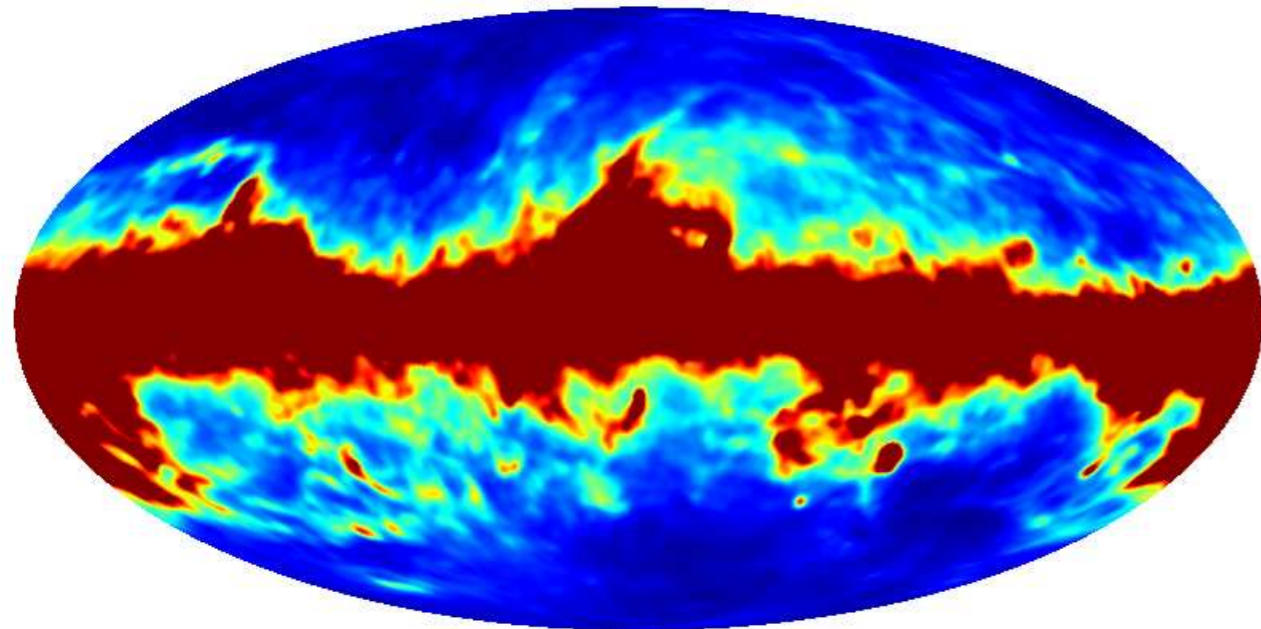
How to take into account dozens/hundreds of

nuisance parameters

describing systematic errors
in the actual data **analysis**?

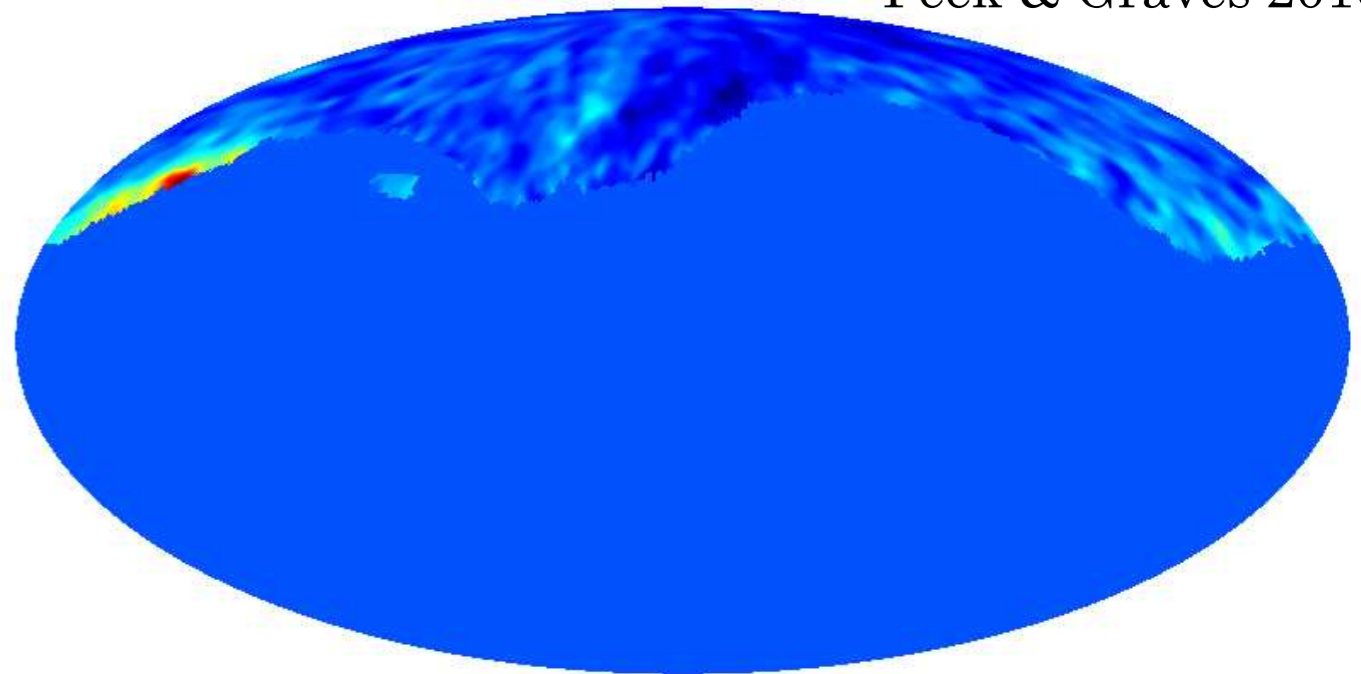
Example II: photometric calibration errors

SFD Galactic dust
extinction map



0.0051  0.20 E(B-V)

Correction to the extinction map
Peek & Graves 2010



-0.011  0.043 E(B-V)

Photometric calibration also can be due to:

- seeing and weather
- thickness of atmosphere
- instrumental effects
-

Very generic!

How do calibration errors affect the measured galaxy angular power spectrum?

$t_{\ell m}$ – observed galaxy field

$c_{\ell m}$ – calibration (systematics) field

C_ℓ – true galaxy clustering power

Final result for the **observed** power spectrum is:

$$\langle t_{\ell m} t_{\ell' m'}^* \rangle = \frac{1}{(1 + \epsilon)^2} \left\{ \underbrace{\delta_{mm'} \delta_{\ell\ell'} C_\ell}_{\text{isotropic}} + \underbrace{\left[U_{mm'}^{\ell\ell'} C_{\ell'} + (U_{mm'}^{\ell\ell'})^* C_\ell \right] + \sum_{\ell_2 m_2} U_{m_2 m}^{\ell_2 \ell} (U_{m_2 m'}^{\ell_2 \ell'})^* C_{\ell_2}}_{\text{breaks statistical isotropy}} + c_{\ell m} c_{\ell' m'}^* \right\}$$

↑
Cancels effects of
calibration
monopole

↑
True power

↑
Calibration (biases)

where

$$U_{m_2 m}^{\ell_2 \ell} \equiv \sum_{\ell_1 m_1} c_{\ell_1 m_1} R_{m_1 m_2 m}^{\ell_1 \ell_2 \ell}$$

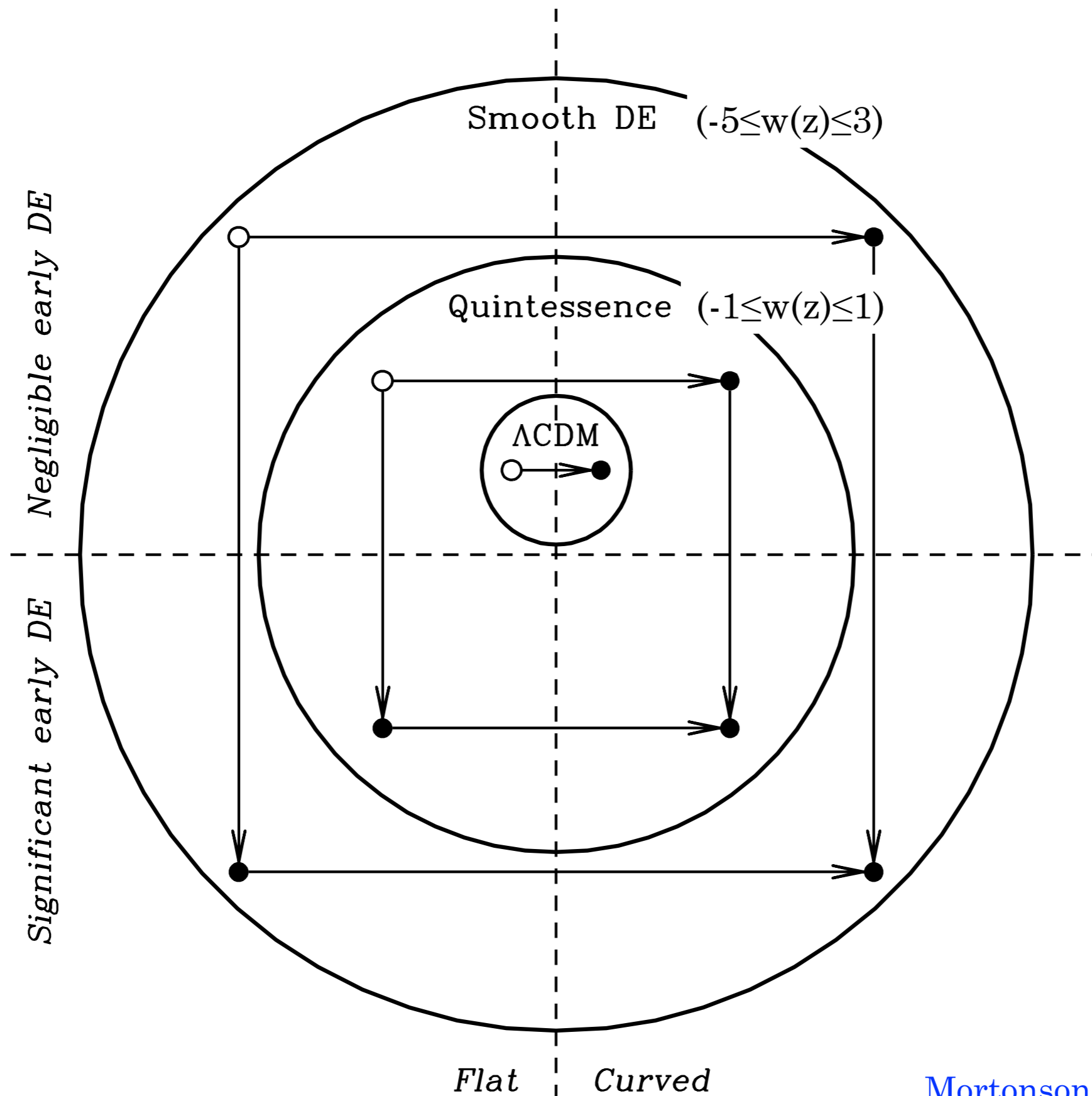
$$R_{m_1 m_2 m}^{\ell_1 \ell_2 \ell} \equiv (-1)^m \sqrt{\frac{(2\ell_1 + 1)(2\ell_2 + 1)(2\ell + 1)}{4\pi}} \begin{pmatrix} \ell_1 & \ell_2 & \ell \\ 0 & 0 & 0 \end{pmatrix} \begin{pmatrix} \ell_1 & \ell_2 & \ell \\ m_1 & m_2 & -m \end{pmatrix}$$

Photometric Calibration systematics

Summary of findings:

1. Calibration *breaks statistical isotropy* of LSS signal (obvious in retrospect)
2. *Large-angle* errors beyond the monopole - dipole, quadrupole, etc - are most damaging
3. Control at level $< 0.1\%$ might be required for DES-type survey and beyond

Falsifying paradigms for cosmic acceleration



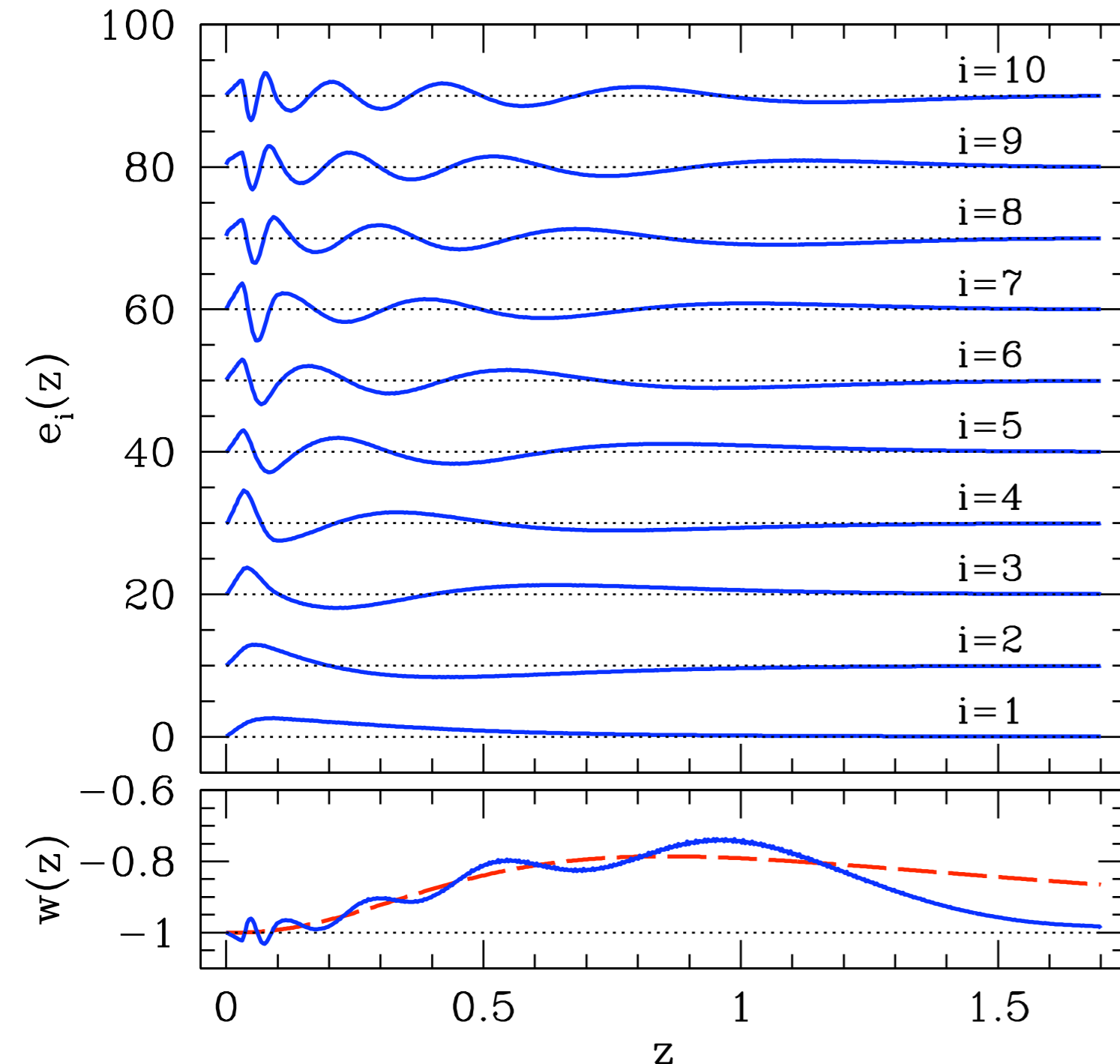
Falsifying paradigms - Underlying Philosophy

- The data are now consistent with Λ CDM, but that may change.
- So, **what observational strategies** do we use to determine which violation of Occam's Razor has the nature served us?
- Possible alternatives: **$w(z) \neq -1$, early DE, curvature $\neq 0$, modified gravity**, more than one of the above (?)
- **Goal: to calculate predicted ranges in fundamental cosmological functions** $D(z)$, $H(z)$, $G(z)$, (and any other parameters/functions of interest), given current or future observations
- **... and therefore to provide 'target' quantities/redshifts** for ruling out classes of DE models with upcoming data (BigBOSS, DES, LSST, WFIRST,

Modeling of DE

Modeling of low- z $w(z)$:
Principal Components

$$w(z_j) = -1 + \sum_{i=1}^N \alpha_i e_i(z_j)$$



500 bins (so 500 PCs)
 $0.03 < z < 1.7$

We use first ~ 10 PCs;
(results converge $10 \rightarrow 15$)

Fit of a **quintessence**
model with **PCs**

Methodology

1. Start with the parameter set:

$$\Omega_M, \Omega_K, H_0, w(z), w_\infty$$

2. Use either the current data or future data

$$\begin{aligned} \text{(current} &= \text{Union2 SN} + \text{WMAP} + \text{BAO}_{z=0.35} + H_0 \\ \text{future} &= \text{Planck} + \text{SNAP}) \end{aligned}$$

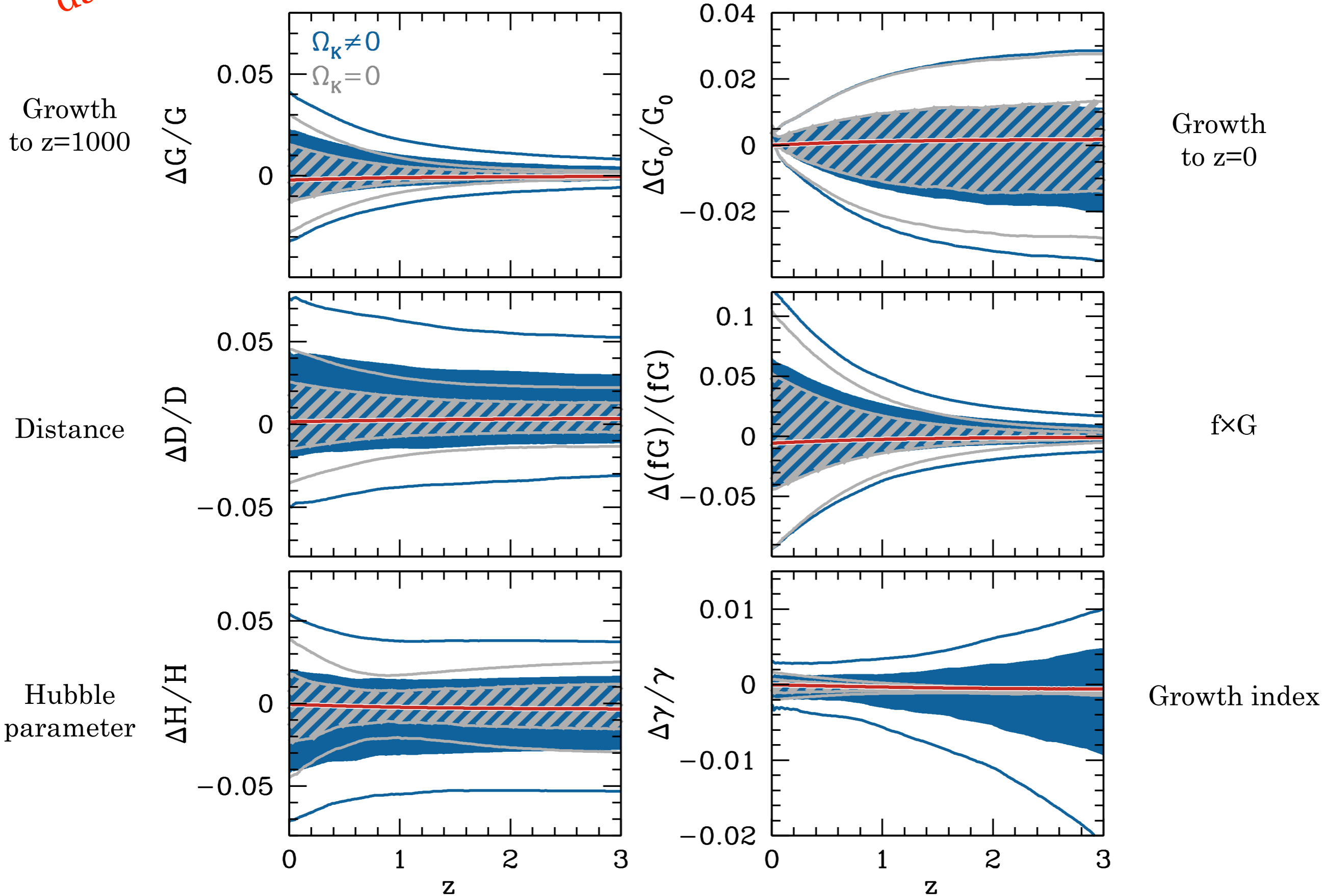
3. Employ the likelihood machine

Markov Chain Monte Carlo likelihood calculation,
between ~ 2 and ~ 15 parameters constrained

4. Compute predictions for $D(z)$, $G(z)$, $H(z)$ (and $\gamma(z)$, $f(z)$)

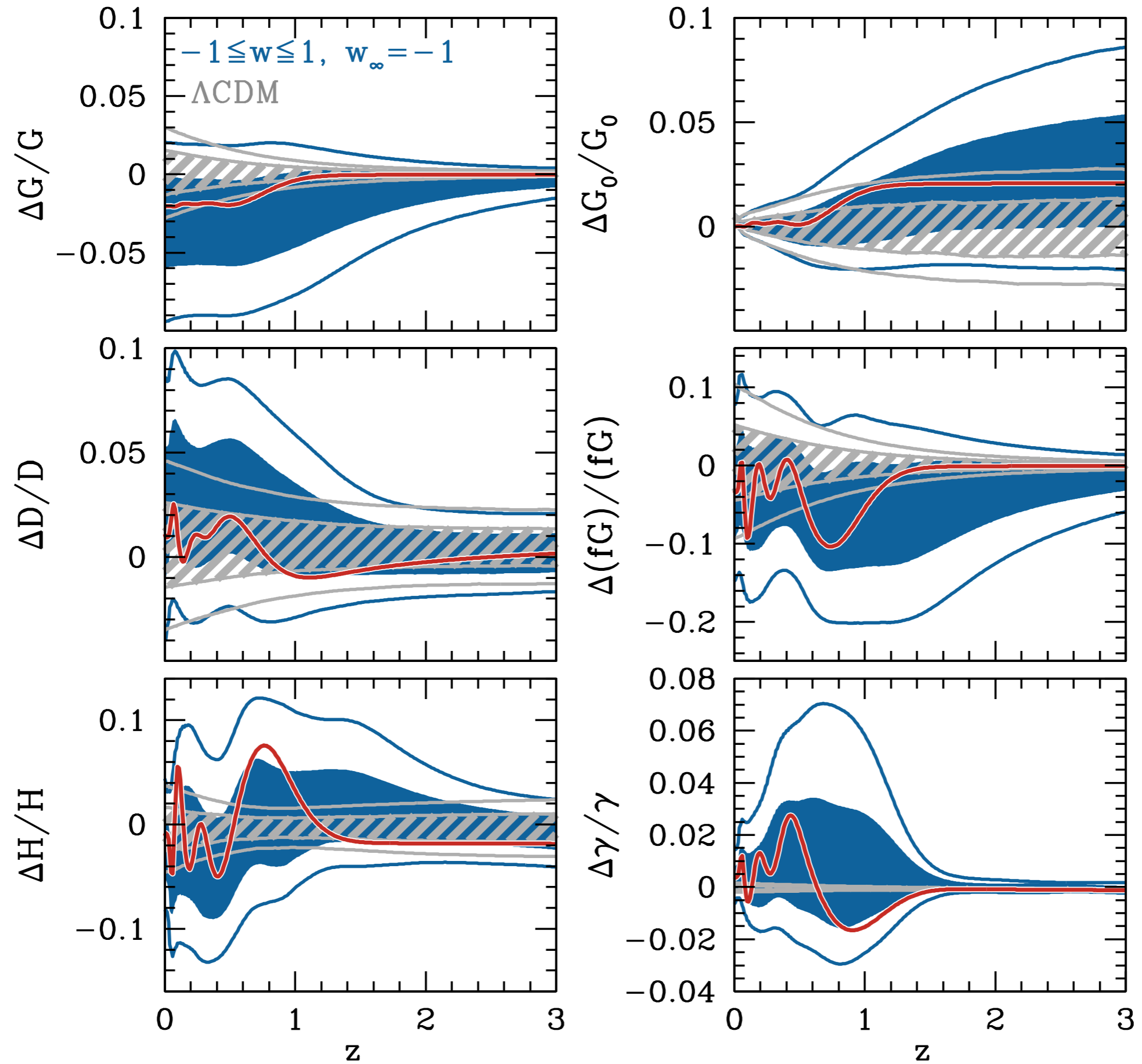
Current
data

ΛCDM predictions - flat or curved



Current
data

Quintessence predictions (flat, no Early DE)

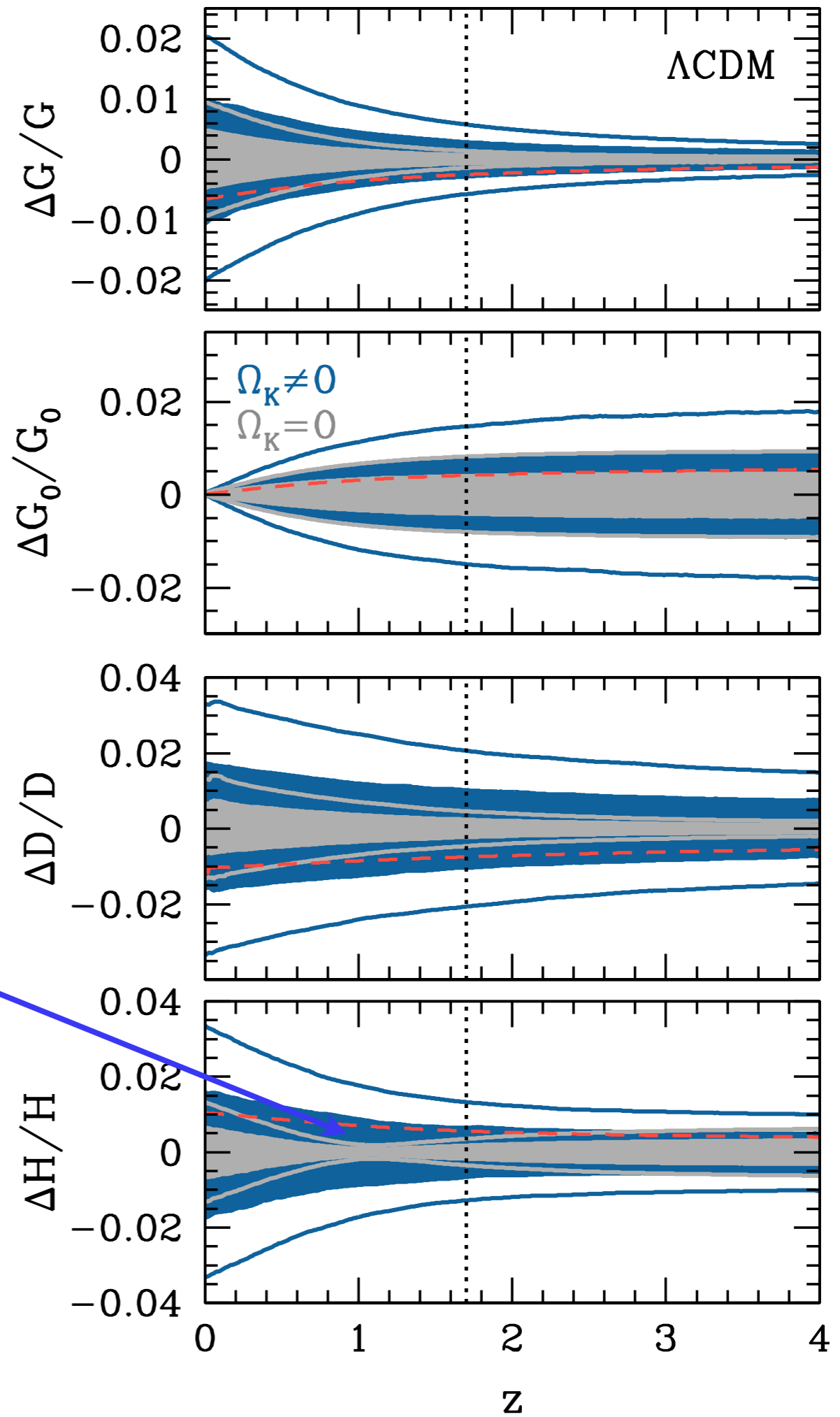


Future data

ΛCDM predictions (flat or curved)

Grey: flat
Blue: curved

D, G to <1% everywhere
H(z=1) to 0.1% for flat ΛCDM

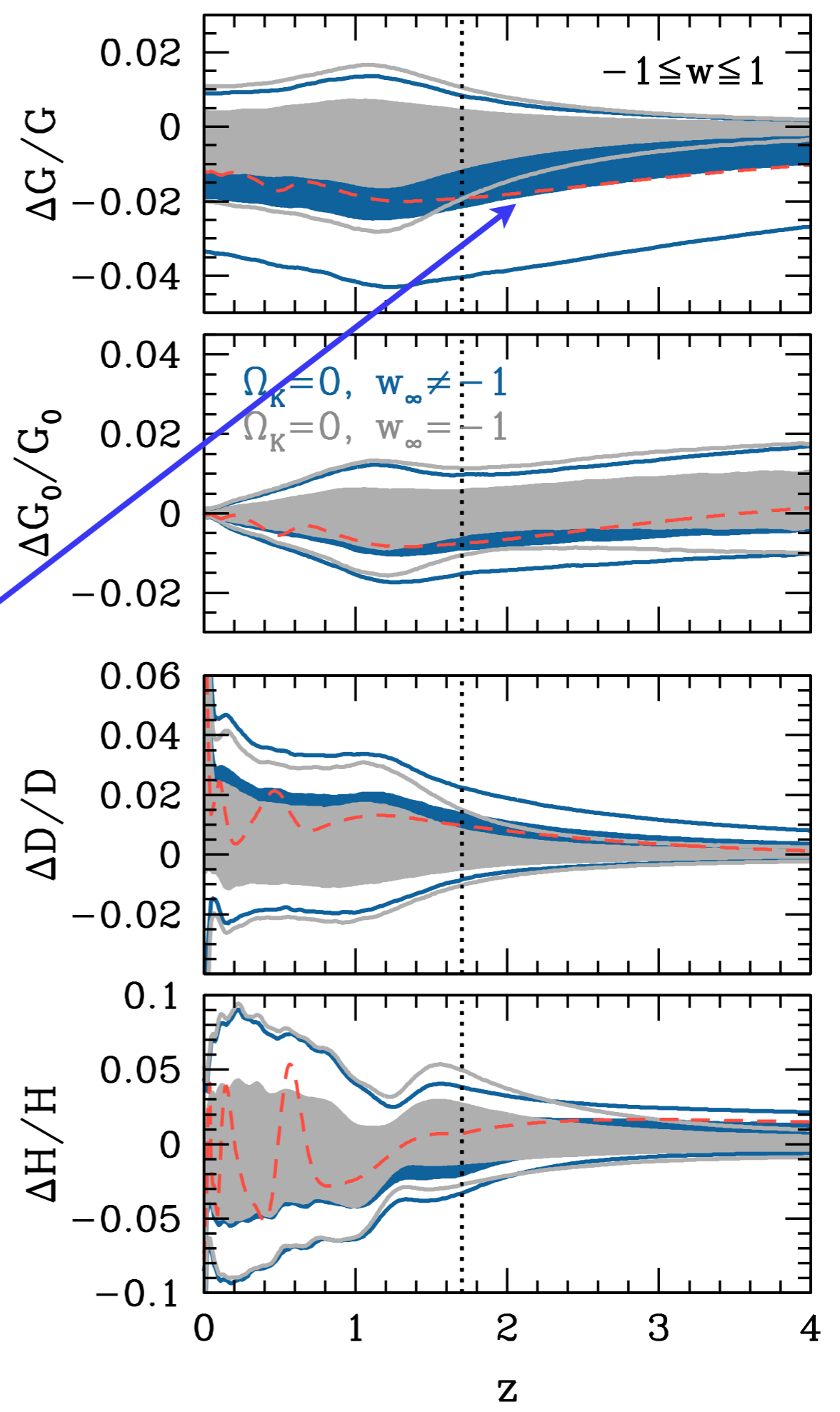


Future data

Quintessence predictions (flat)

Grey: no Early DE
Blue: with Early DE

Smoking Gun of EDE:
Uniform suppression in G

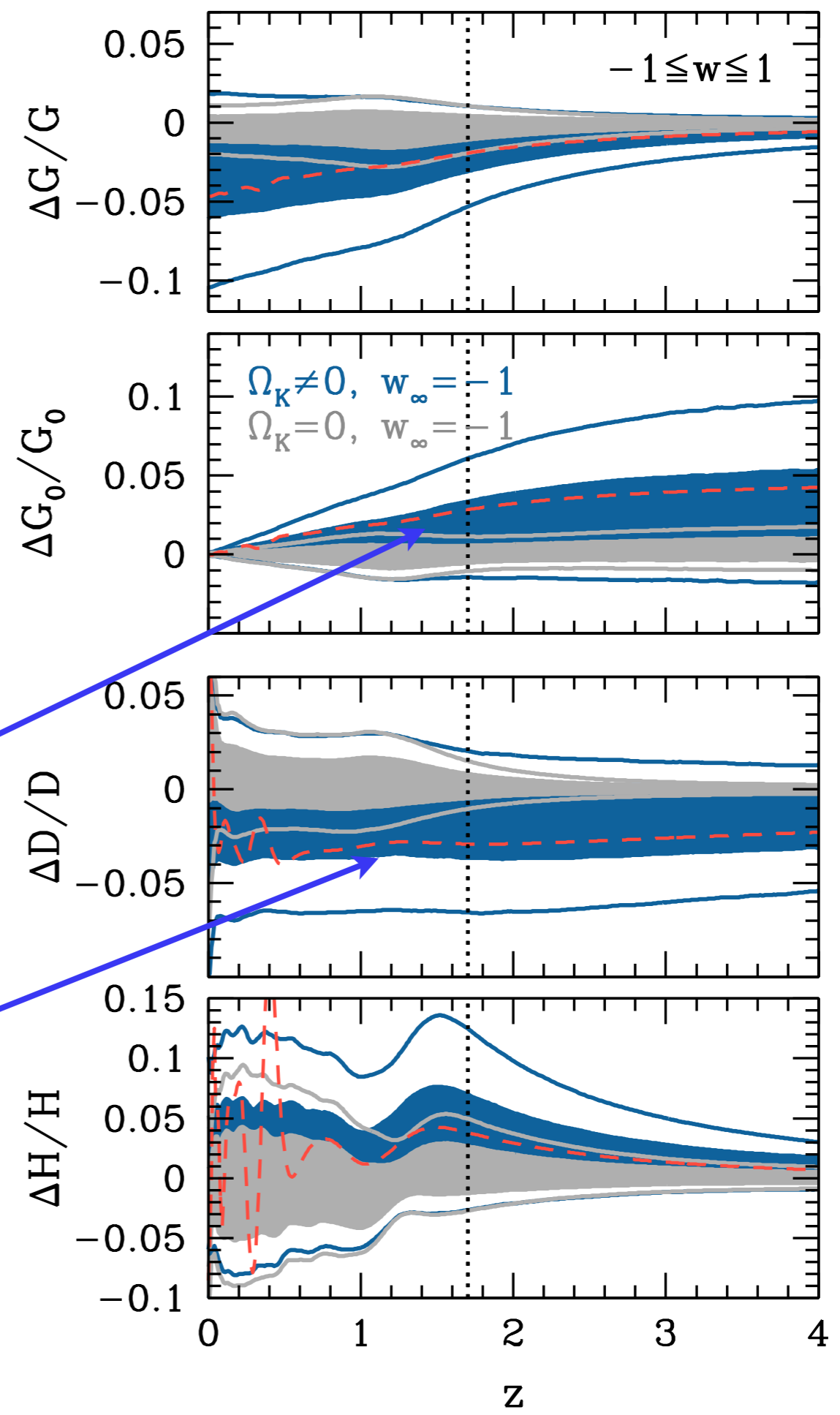


Future data

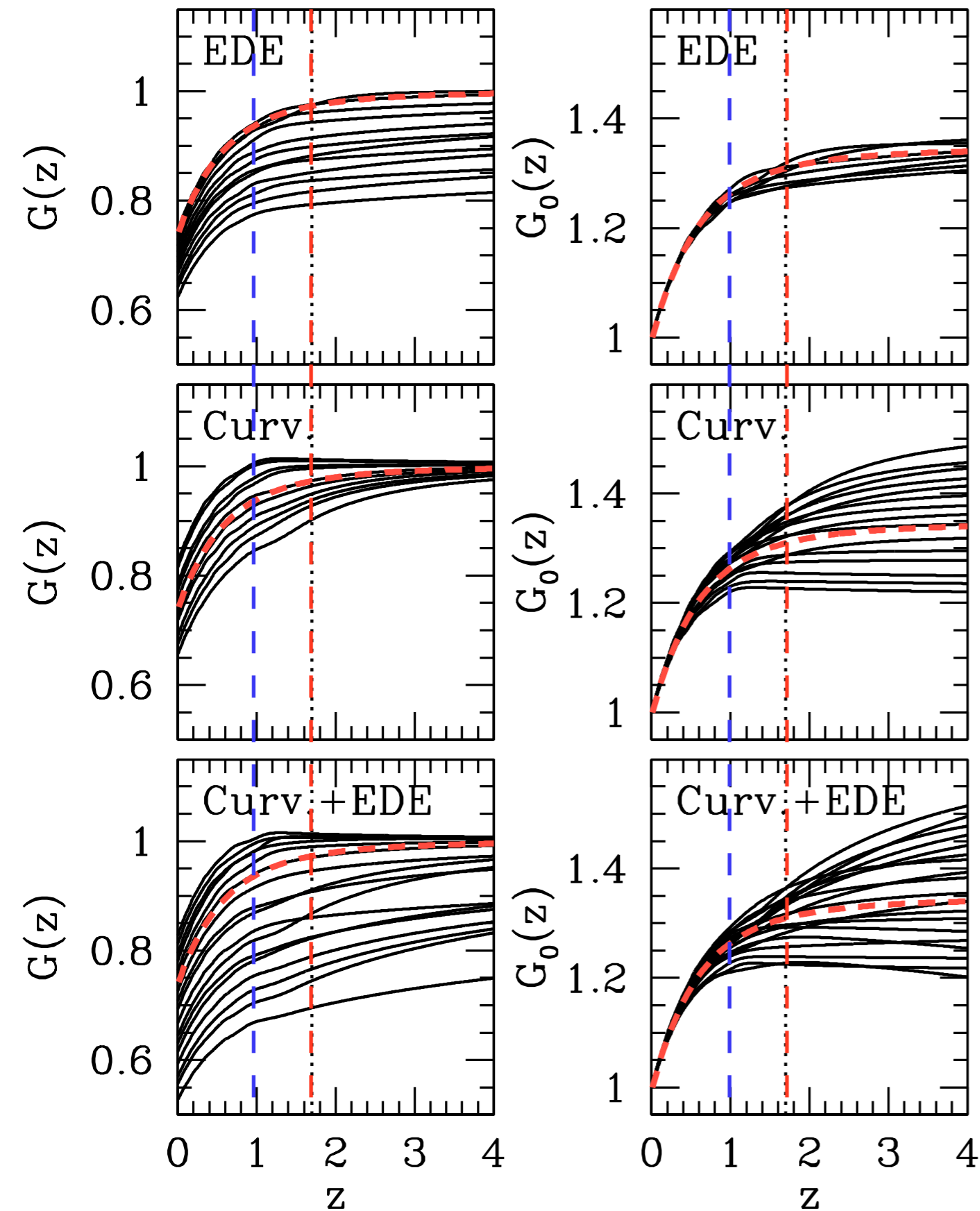
Quintessence predictions (no EDE)

Grey: flat
Blue: curved

Smoking Gun of curvature:
1. Shift in G_0
2. Negative const offset in D

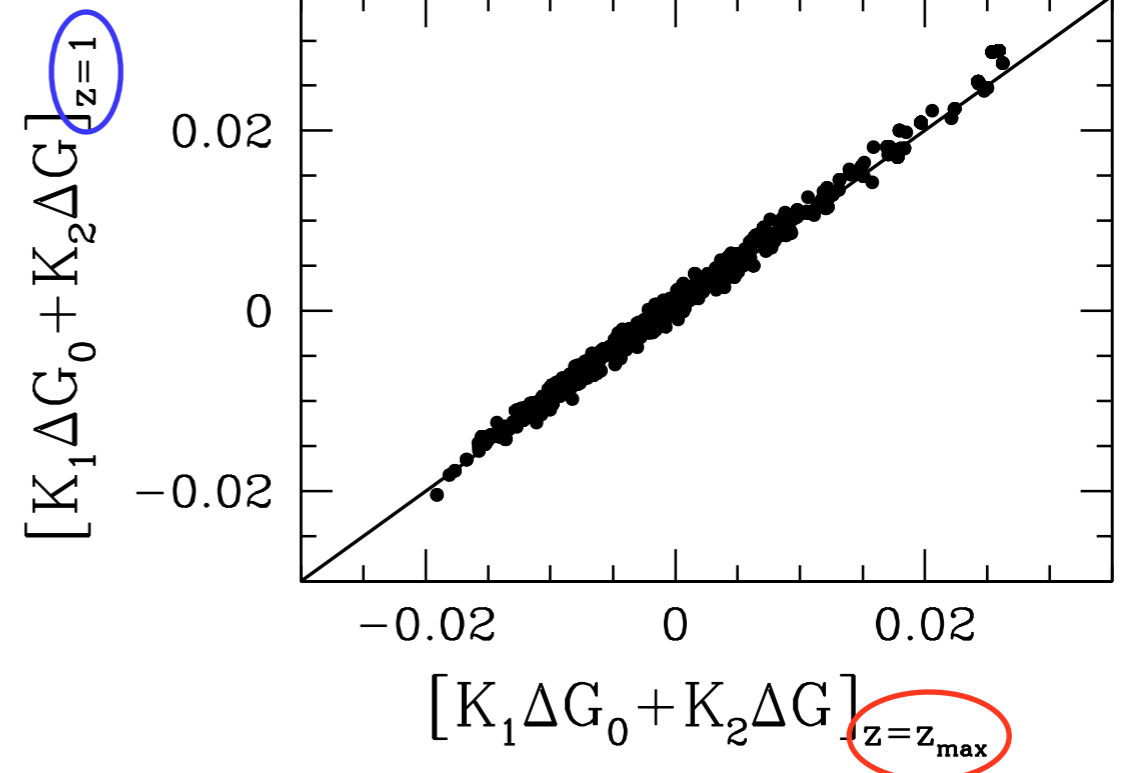


Smooth DE with curvature and/or Early DE

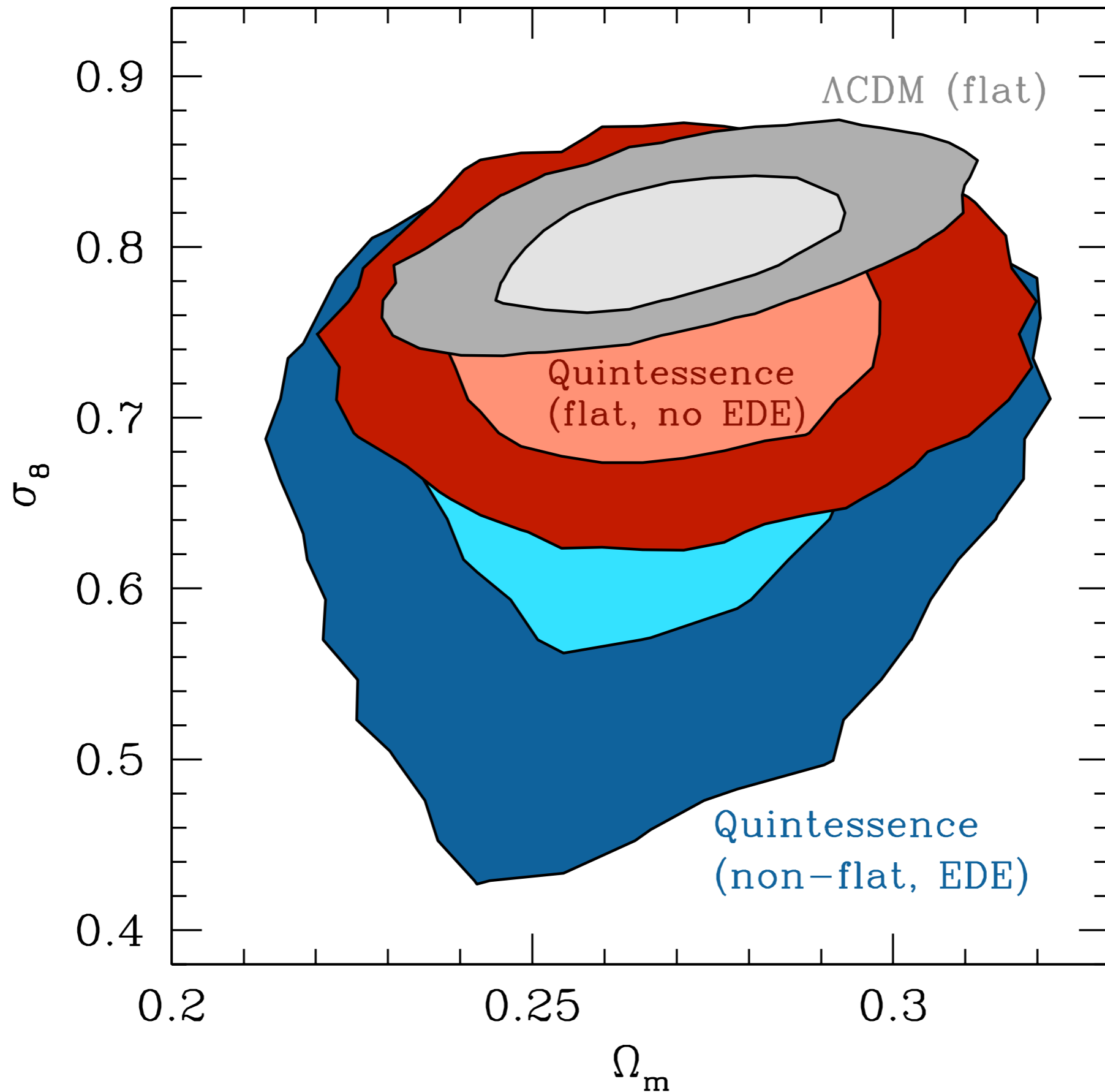


Some quantities
are accurately predicted even
in very general classes of DE
models

(e.g. specific linear combination of G_0 and
 G evaluated at $z=1$ vs $z=z_{\max}$)



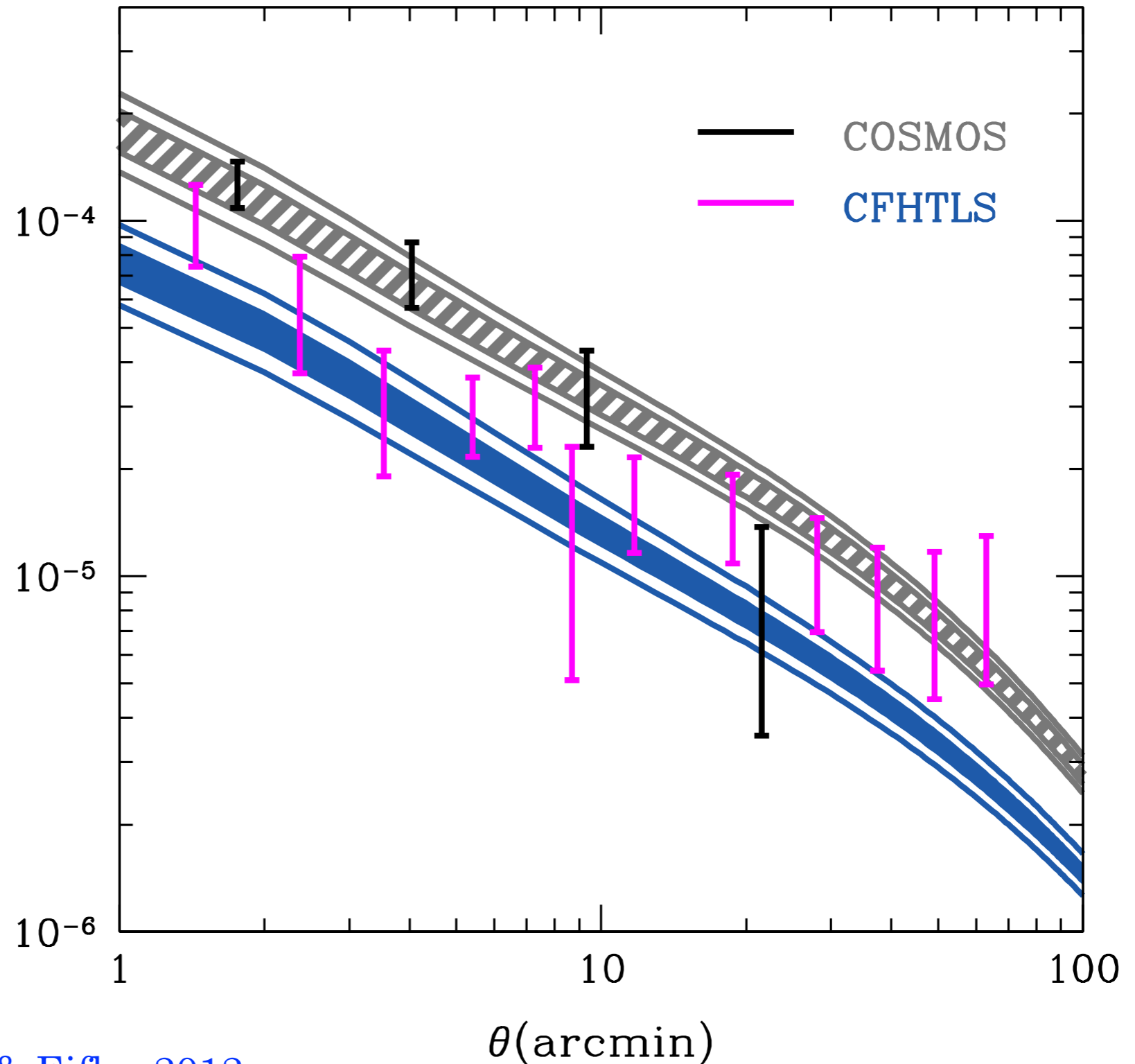
From **current** data, projected down on Ω_M - σ_8



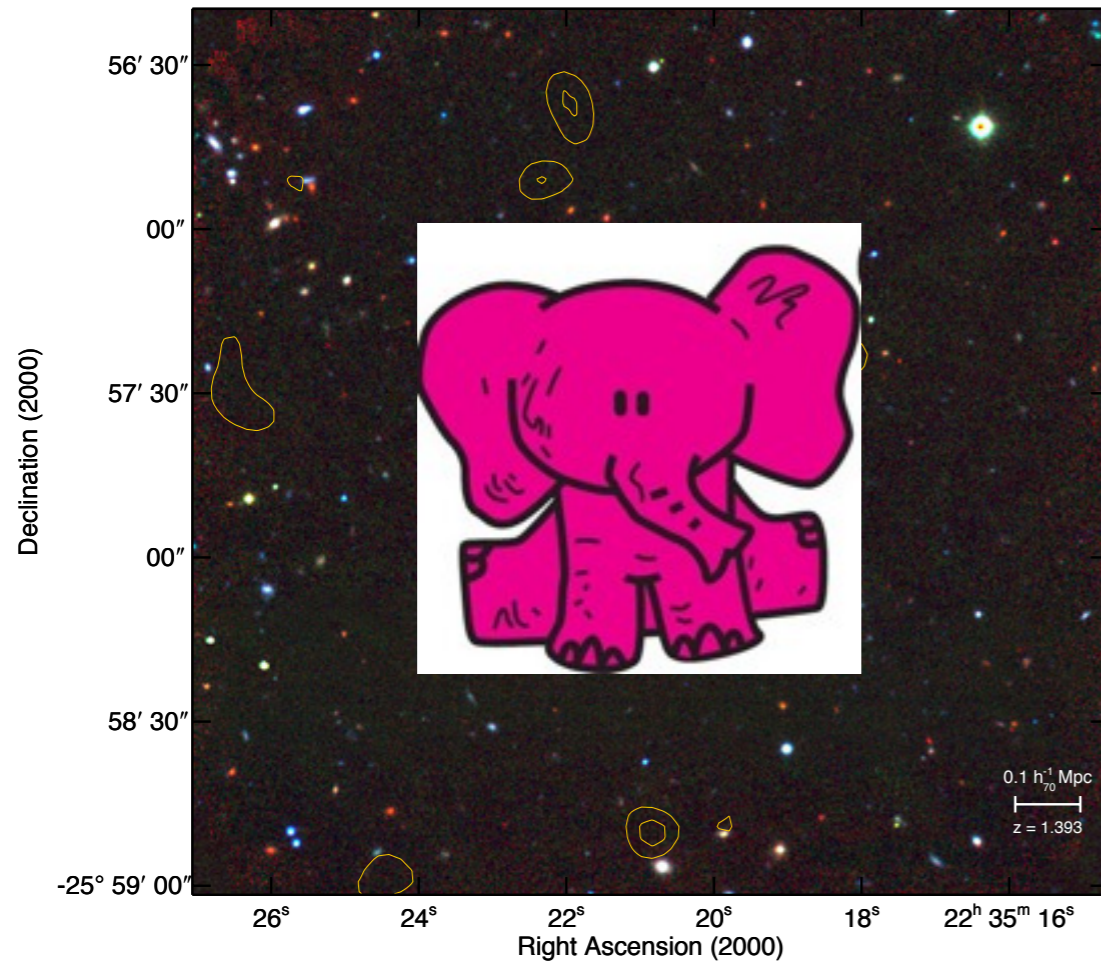
Straightforward to make predictions for **actually observable quantities** for a given survey, given the class of DE models

Two-pt function
of shear
in real space

ξ^+



Falsifying LCDM and Quintessence with “pink elephant” clusters



Pink Elephant:

- any of various visual hallucinations sometimes experienced as a withdrawal symptom after sustained alcoholic drinking.

-Dictionary.com

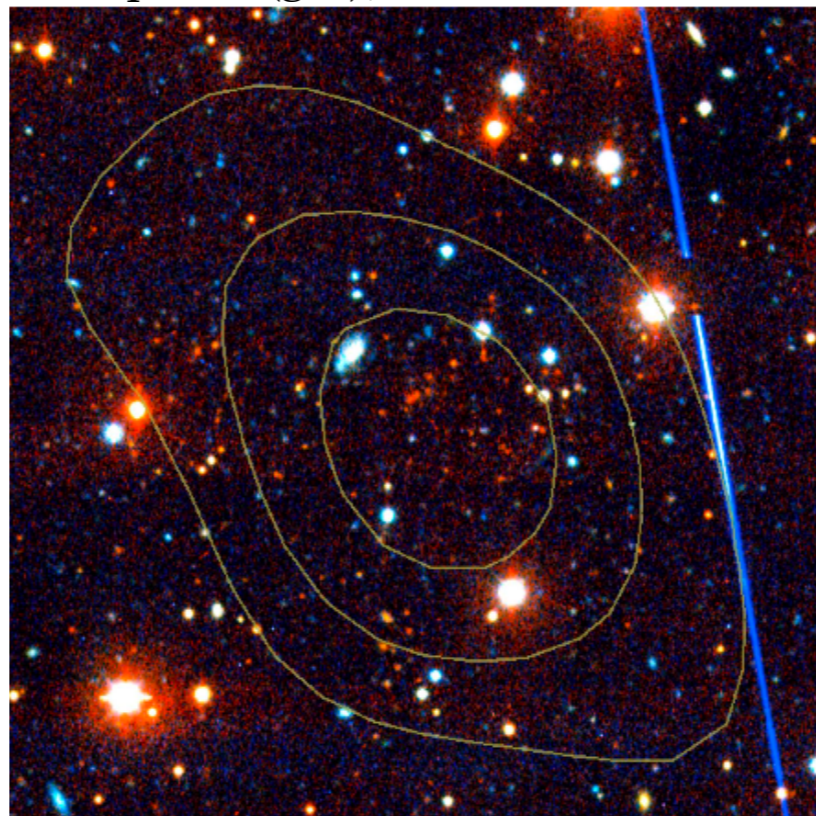
Pink elephant, candidate 1: SPT-CL J0546-5345

Brodwin et al, arXiv:1006.5639

$$z=1.067$$

$$M \approx (8 \pm 1) \cdot 10^{14} M_{\text{sun}}$$

optical (grz); contours are SZ



optical (ri)+IRAC; contours are X-ray

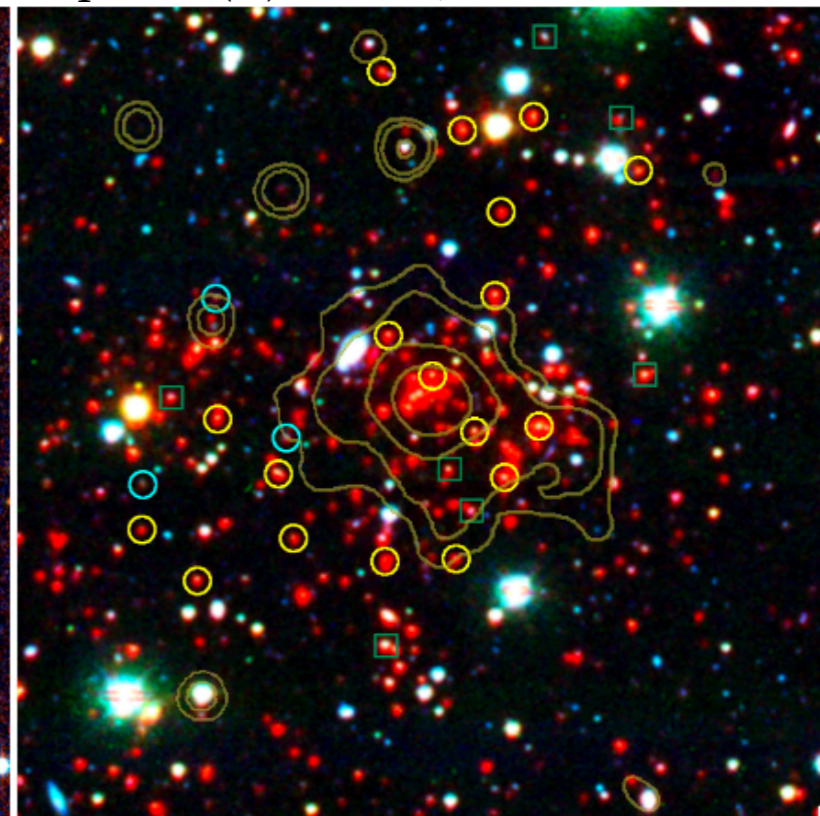


TABLE 2

COMPARISON OF MASS MEASUREMENTS FOR SPT-CL J0546-5345

Mass Type	Proxy	Measurement	Units	Mass Scaling Relation	$M_{200}^{a,b}$ ($10^{14} M_{\odot}$)
Dispersion	Biweight	1179^{+232}_{-167}	km/s	$\sigma-M_{200}$ (Evrard et al. 2008)	$10.4^{+6.1}_{-4.4}$
	Gapper	1170^{+240}_{-128}	km/s	$\sigma-M_{200}$ (Evrard et al. 2008)	$10.1^{+6.2}_{-3.3}$
	Std Deviation	1138^{+205}_{-132}	km/s	$\sigma-M_{200}$ (Evrard et al. 2008)	$9.3^{+5.0}_{-3.2}$
X-ray	Y_X	5.3 ± 1.0	$\times 10^{14} M_{\odot} \text{keV}$	Y_X-M_{500} (Vikhlinin et al. 2009)	8.23 ± 1.21
	T_X	$7.5^{+1.7}_{-1.1}$	keV	T_X-M_{500} (Vikhlinin et al. 2009)	8.11 ± 1.89
SZE	Y_{SZ}	3.5 ± 0.6	$\times 10^{14} M_{\odot} \text{keV}$	$Y_{SZ} - M_{500}$ (A10)	7.19 ± 1.51
	S/N at 150 GHz	7.69		$\xi - M_{500}$ (V10)	$5.03 \pm 1.13 \pm 0.77$
Richness	N_{200}	80 ± 31	galaxies	$N_{200} - M_{200}$ (H10)	$8.5 \pm 5.7 \pm 2.5$
	N_{gal}	66 ± 7	galaxies	$N_{\text{gal}} - M_{200}$ (H10)	$9.2 \pm 4.9 \pm 2.7$
Best	Combined				7.95 ± 0.92

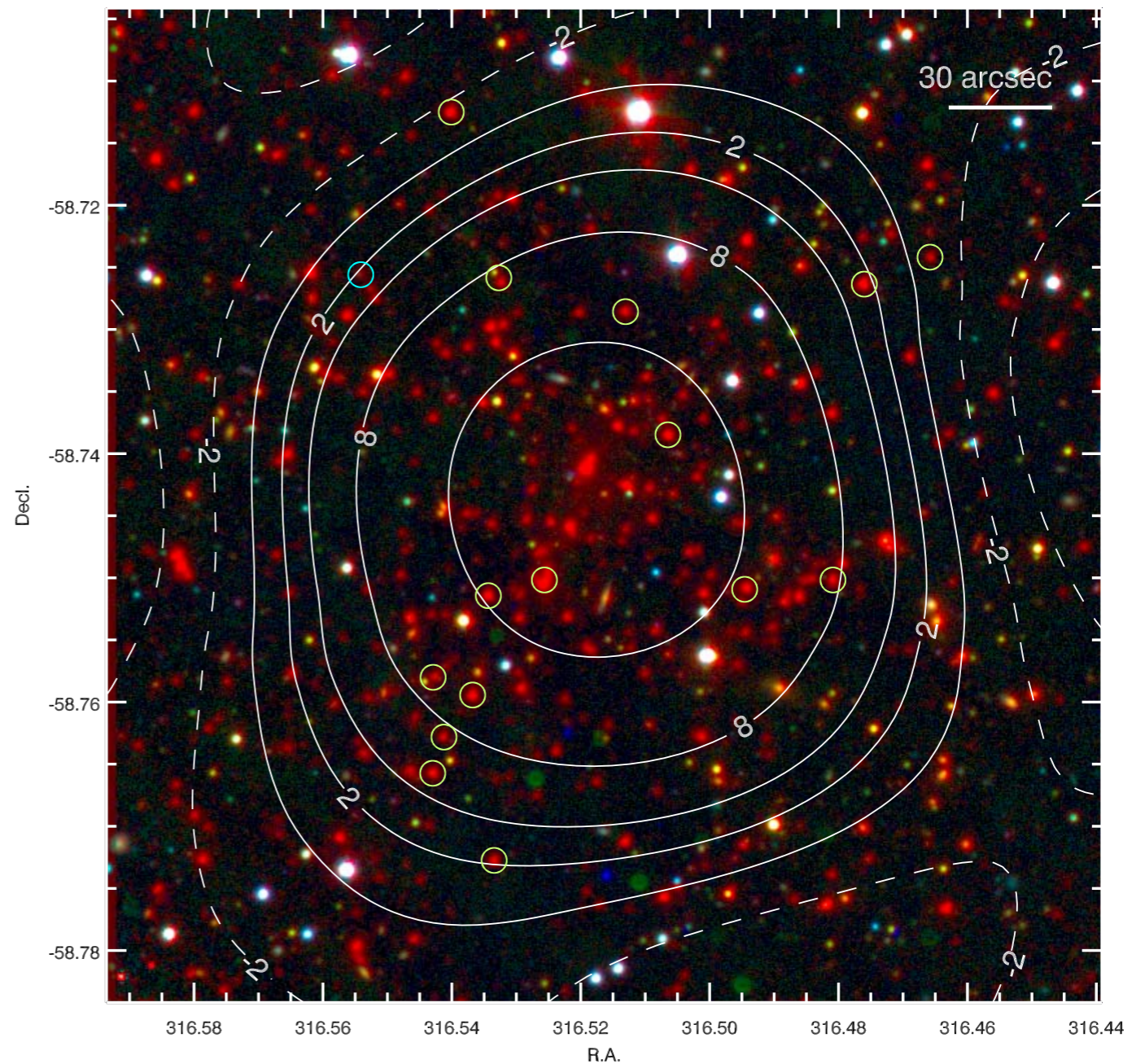
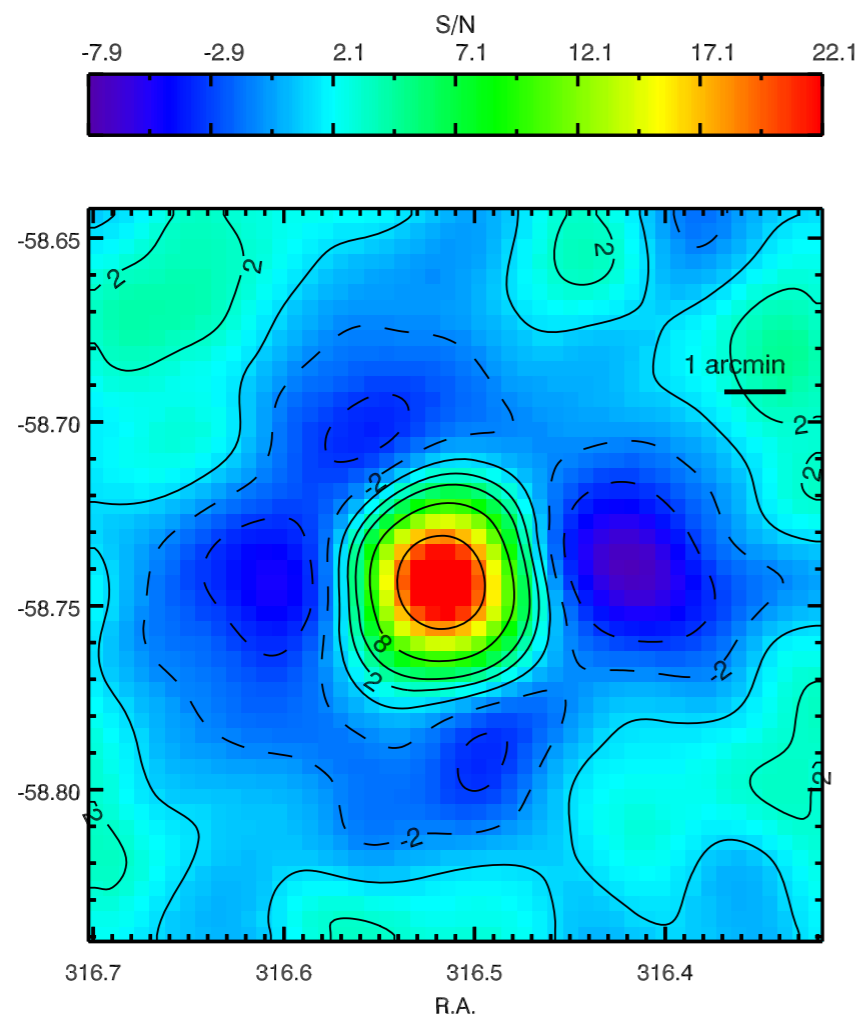
Pink elephant, candidate 2: SPT-CL J2106-5844

$z=1.132$

$$M_{\text{SZ+x-ray}} \approx (1.27 \pm 0.21) \cdot 10^{15} M_{\text{sun}}$$

Foley et al 2011

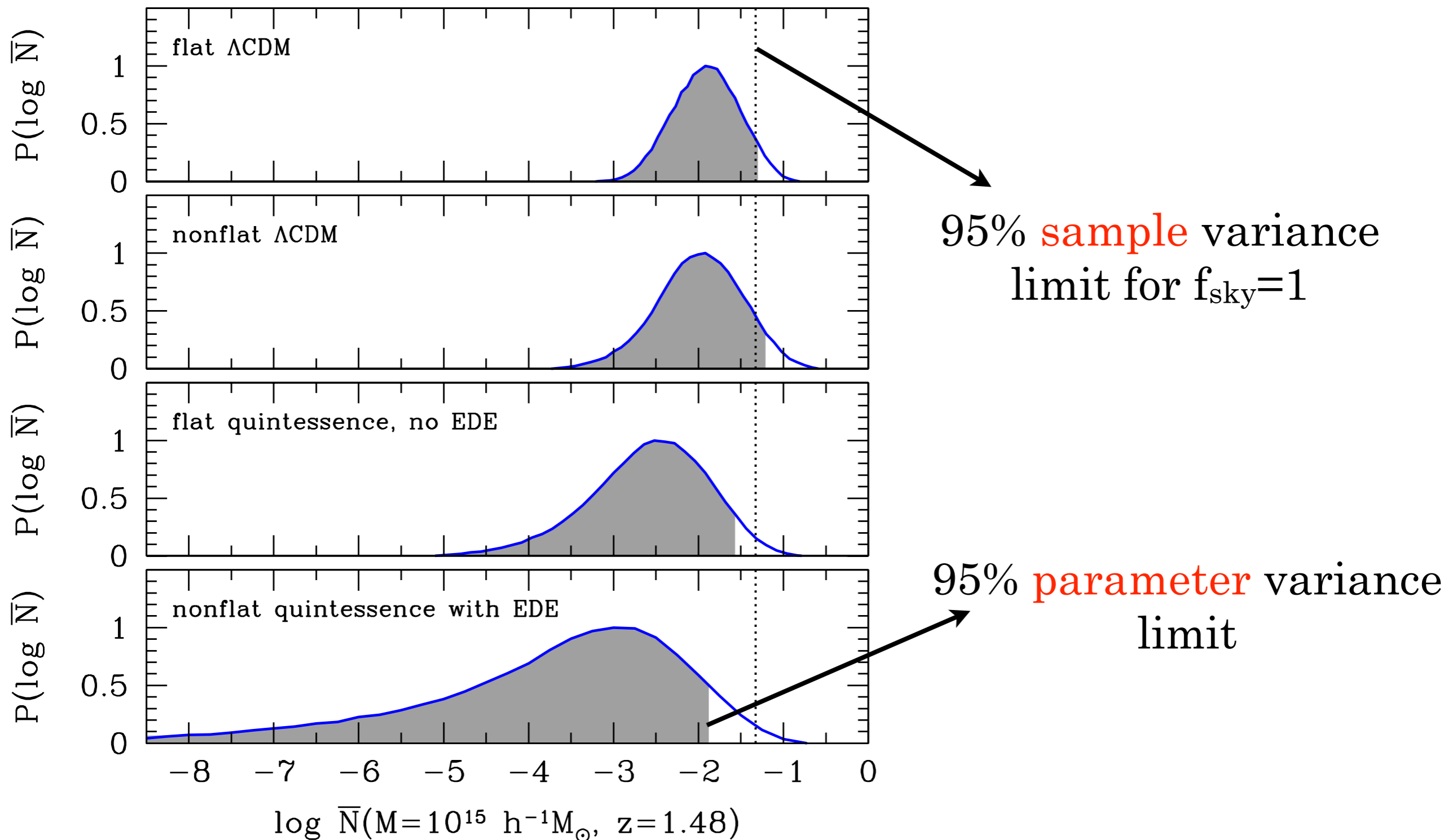
Williamson et al. 2011



Two sources of statistical uncertainty

1. **Sample variance** - the Poisson noise in counting rare objects in a finite volume
2. **Parameter variance** - uncertainty due to fact that current data allow cosmological parameters to take a range of values

Predicted abundance for $M > 10^{15} h^{-1} M_{\text{sun}}, z > 1.48$



Rule out Λ CDM \Rightarrow automatically rule out quintessence
(then left with e.g. DM-DE coupled models; e.g, Pettorino & Baldi 2011)

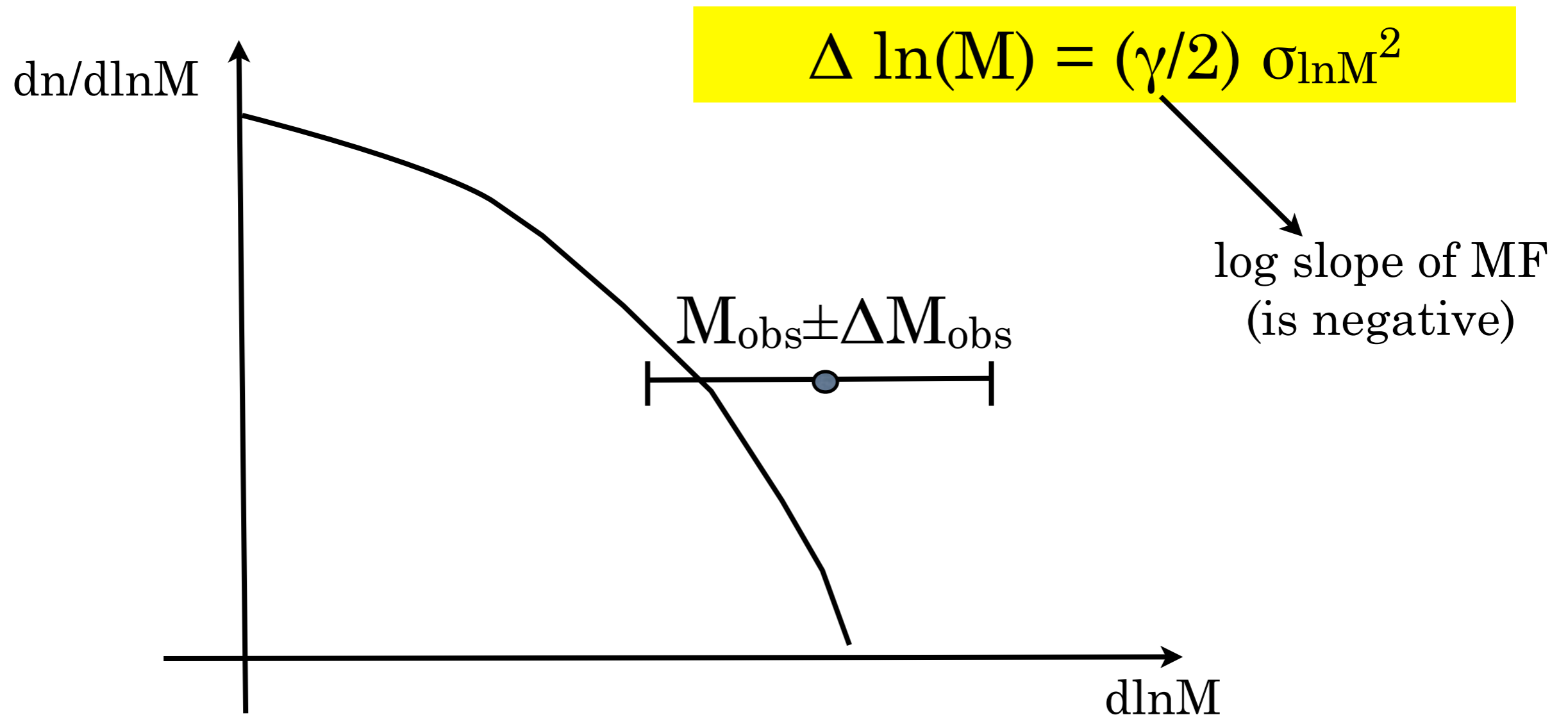


Eddington bias

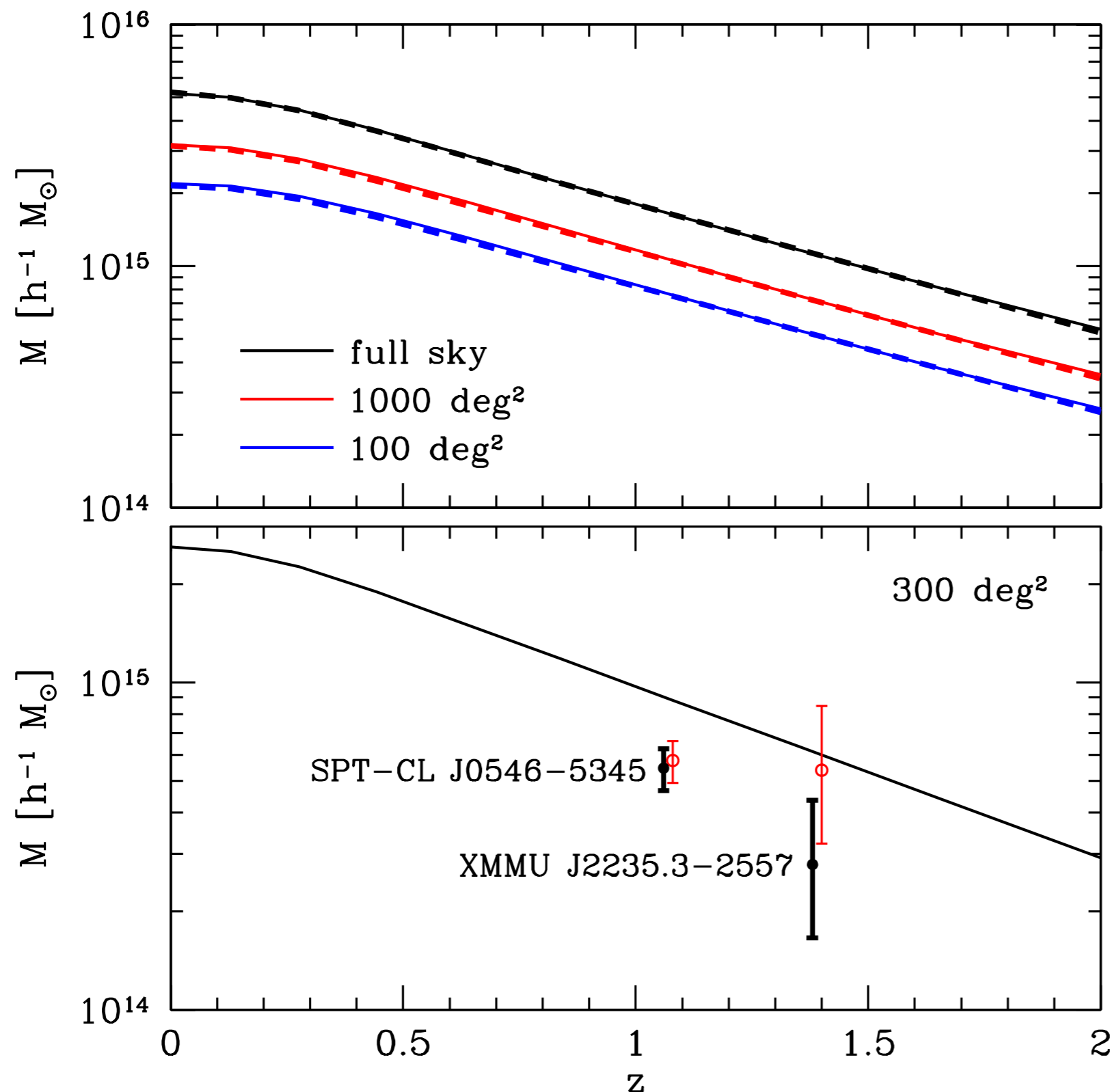
A.S. Eddington, MNRAS, 1913

For a steeply falling mass function,
observed mass was more likely to be scattered into observed
range from lower M than for higher M

(\neq Malmquist bias: more luminous objects are more likely to scatter into the sample)



Results for the two pink elephant clusters vs. predictions for LCDM



Shown limits: 95% both sample and parameter variance for finding one cluster with $>M, >z$

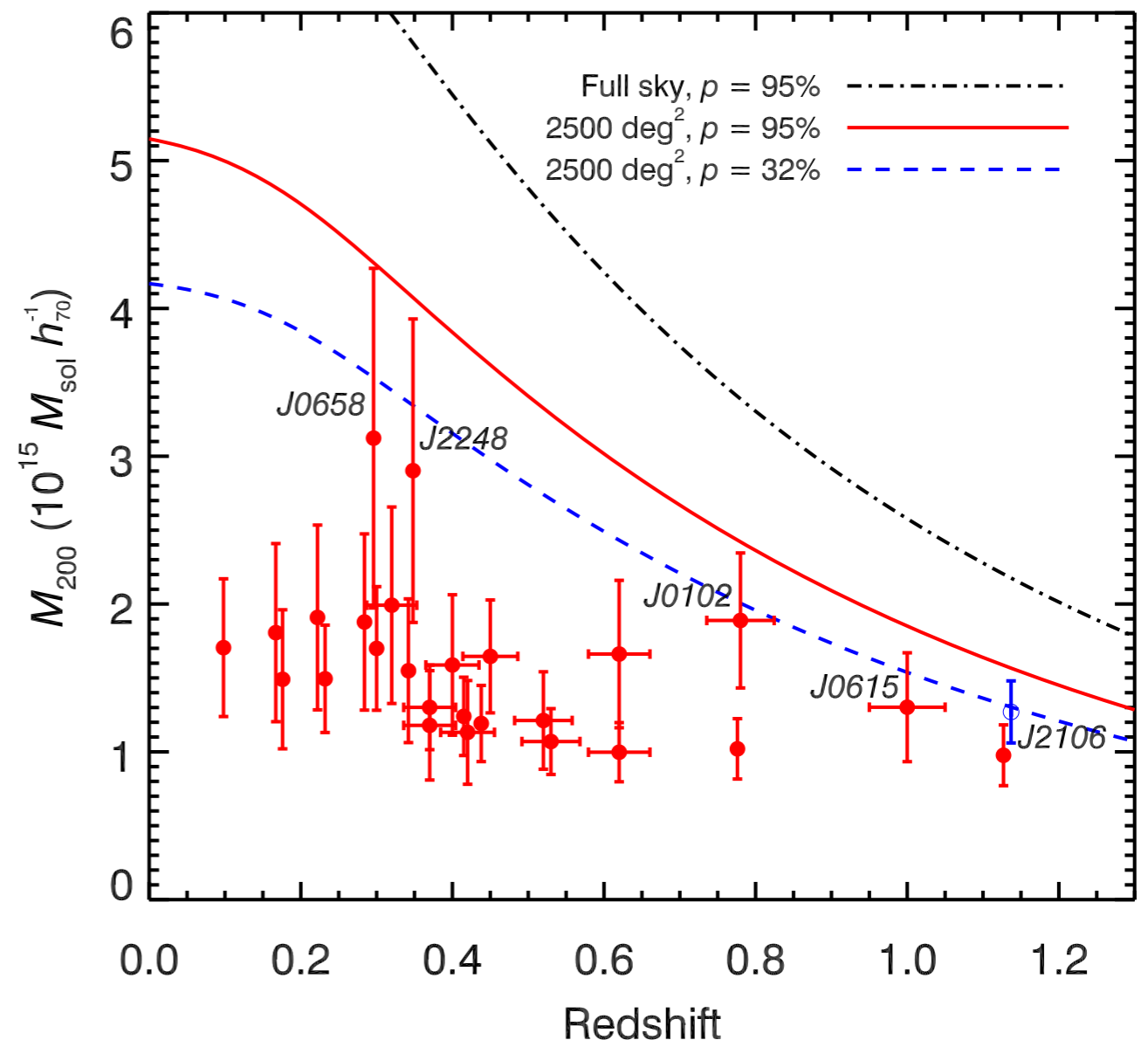
black error bars:
masses corrected for Eddington bias

Potentially useful product of paper:

Fitting formulae to evaluate N_{clusters} that rule out LCDM at a given

- ✓ mass and redshift
- ✓ sample variance confidence
- ✓ parameter variance confidence
- ✓ f_{sky}

Williamson et al. 2011
(SPT)



Conclusions

- ▶ We are well into the systematics-dominated era of DE measurements.
- ▶ Example I: Photo-z errors.
- ▶ Example II: Photometric calibration errors.
- ▶ How do we quantify and treat these errors? Self-calibration is powerful, but can't self-calibrate everything.
- ▶ We have accurate, tight predictions for $D(z)$, $G(z)$, $H(z)$ and the observable quantities for each class of DE models \Rightarrow way to rule them out.